

Gas, Dust, and Star-Formation in
Galaxies from the Local to Far Universe

GDSF 2015

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Platanias - Chania, Crete, Greece

Star formation measurements

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Overview

- **General considerations** and calculations, stellar emission and timescales
- **The impact of the star formation history** on SFR determinations
 - *the different SFH adopted for galaxies at all redshift
 - *accounting for nebular emission lines.
- **The real world: dust absorption & re-emission**
 - *IR and composite star formation tracers
 - *Dust attenuation law
 - *Measuring dust obscuration without IR data
- **SED fitting** to measure SFRs

Some of the topics I will not address

- Tracers other than the stellar light and hydrogen ($H\alpha$) recombination lines: [OII]3727, PDR lines [CII]158 [OI]63, radio continuum, gamma ray bursts....
- The impact of varying stellar tracks (rotation, metallicity...), initial mass function

And certainly a lot of other ones.....

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**A basic equation to derive the SFR
(assuming no dust attenuation):**

$$L(\lambda, t) = \int_0^t \int_{M_{low}}^{M_{up}} F_{\lambda}(m, \theta) SFR(t - \theta) \Psi(m) dm d\theta$$

Intrinsic luminosity emitted by all the stars of the galaxy

t=0 the first stars in the galaxy

stellar tracks

Star Formation rate function (M_{sun}/yr)

Initial Mass Function (IMF) from M_{up} to M_{low}

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Simple recipes:

SFR is assumed to be constant over T
SFR proportional to the **intrinsic** monochromatic Luminosity:

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Stellar Populations synthesis models with various SFR(t)
+Fits with a large set of data at different wavelengths (SED fitting)

SFR(t)

Simple recipes:

SFR is assumed to be constant over T

SFR proportional to the **intrinsic** monochromatic Luminosity:



$$SFR = \left\{ \int_{M_{low}}^{M_{up}} \int_0^T F_{\lambda}(m, \theta) d\theta \Psi(m) dm \right\}^{-1} L(\lambda, T)$$

Only useful
if the luminosity reaches a steady state
 $L(\lambda, T) = L(\lambda)$

$$SFR (M_{\odot} yr^{-1}) = 1.4 \times 10^{-28} L_{\nu} (\text{ergs s}^{-1} \text{ Hz}^{-1}).$$

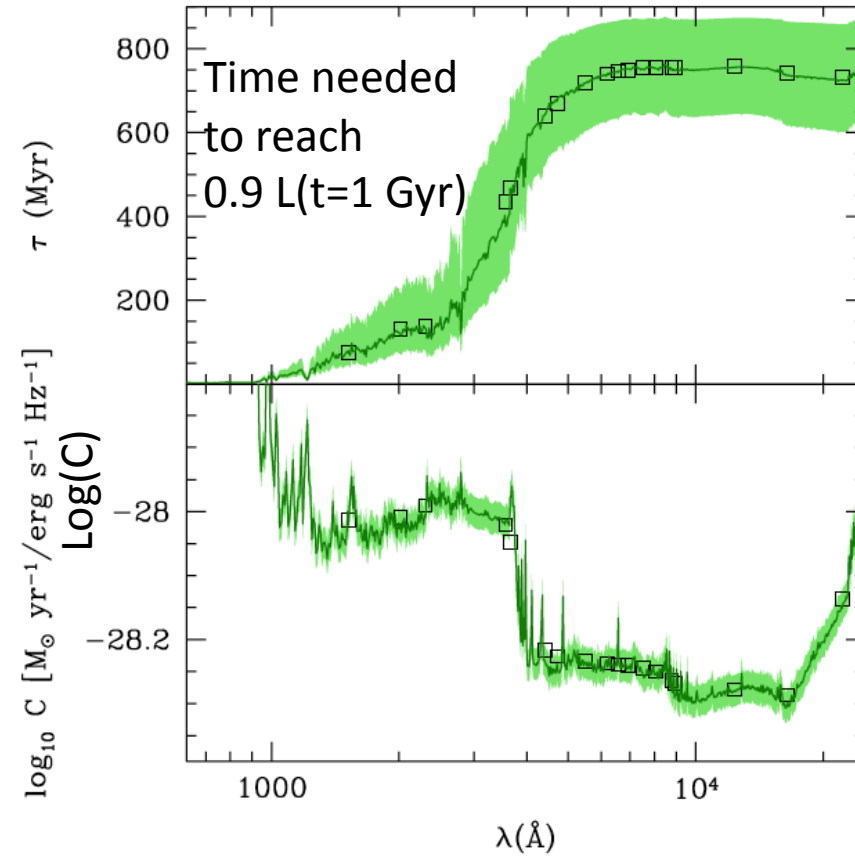
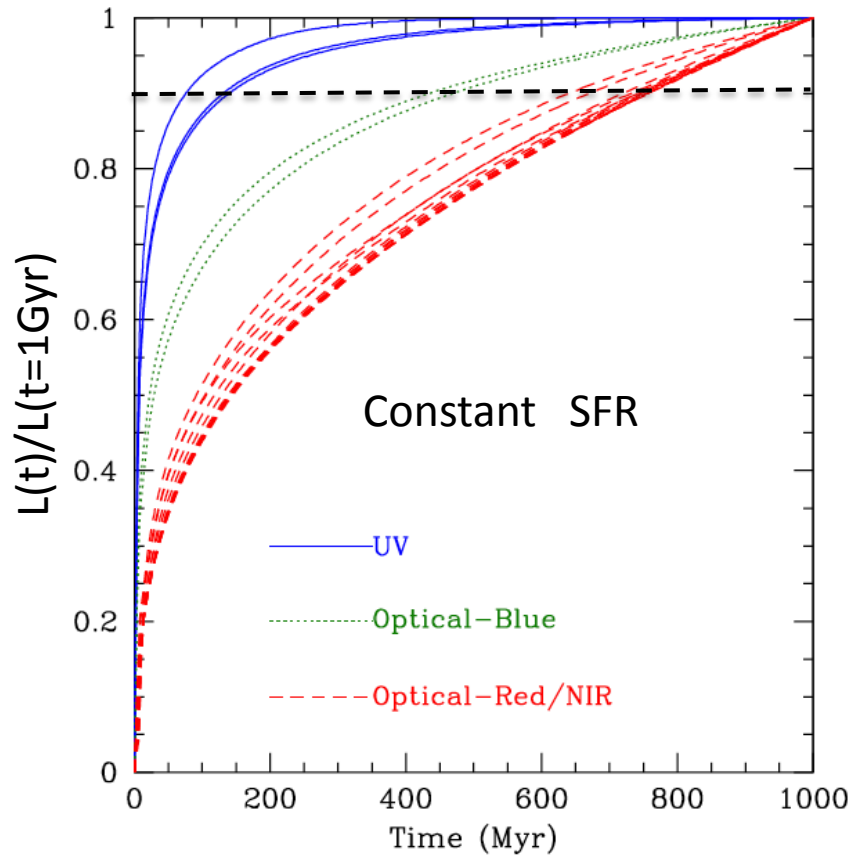
1500-2800 Å, Salpeter IMF, $>10^8$ years of CSFR

$$SFR (M_{\odot} yr^{-1}) = 7.9 \times 10^{-42} L(H\alpha) (\text{ergs s}^{-1}) = 1.08 \times 10^{-53} Q(H^0) (\text{s}^{-1}).$$

Case B recombination, $T_e = 10^4$ K, Salpeter IMF, « nearly » instantaneous SFR

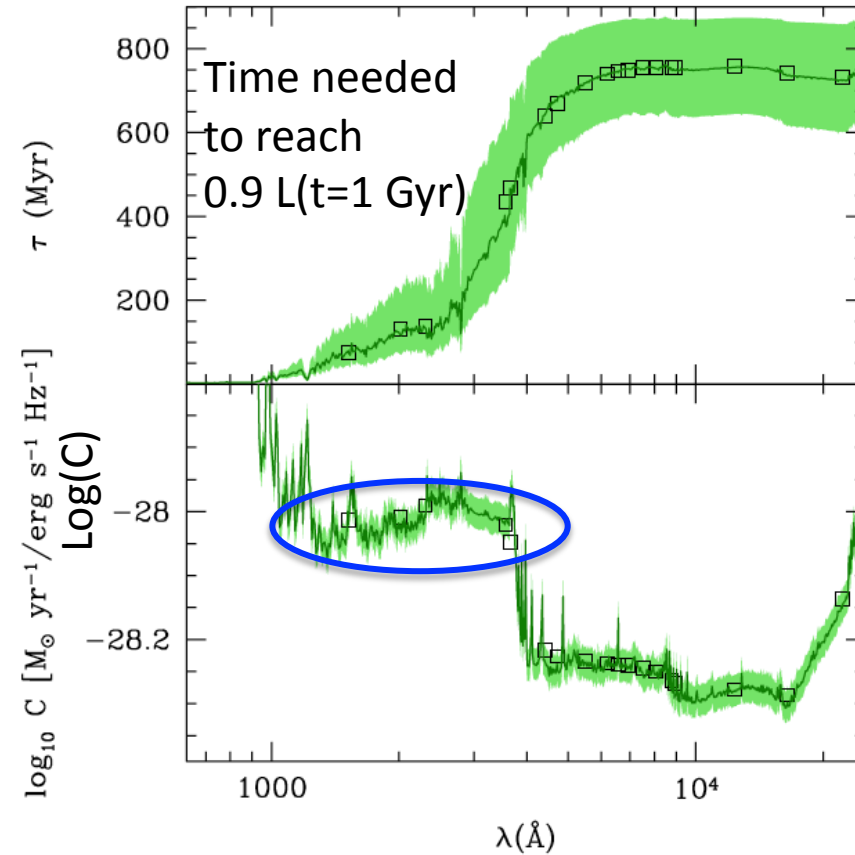
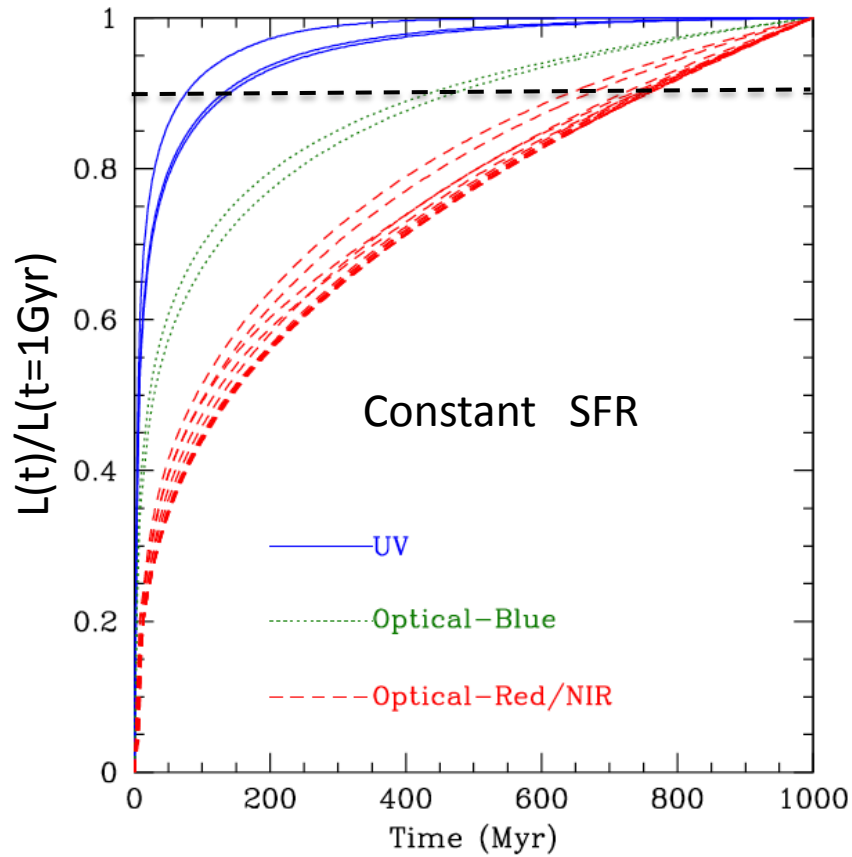
from Kennicutt 1998, ARAA

$$\text{SFR} (M_{\odot} \text{ yr}^{-1}) = C L_{\nu} (\text{erg s}^{-1} \text{ Hz}^{-1})$$



Boissier 2013

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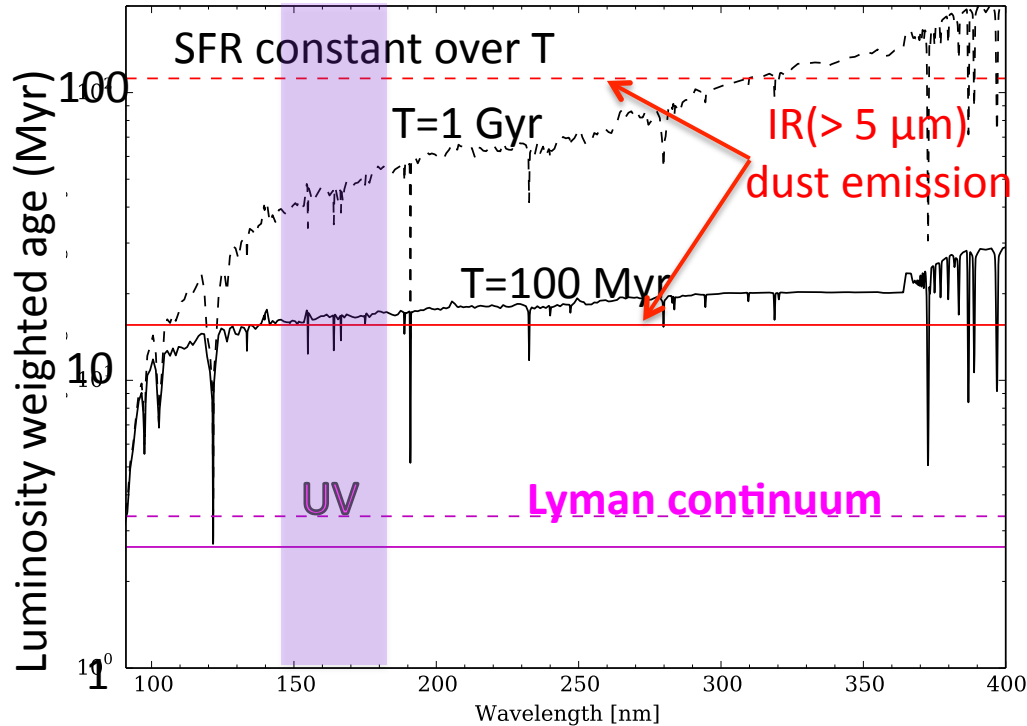


Boissier 2013

Which stars do produce most of the light?

Luminosity weighted age

$$\int_0^T \frac{t \times L_\lambda(t)}{L_\lambda(t)} dt$$



→ Luminosity weighted ages depend on the SFH

→ Impact of long lived stars on SFR estimates

- UV → luminosity weighted age < 100 Myr
- Lyc photons: « instantaneous measure »

See also Kennicutt & Evans 12

Boquien, Buat & Perret 2014

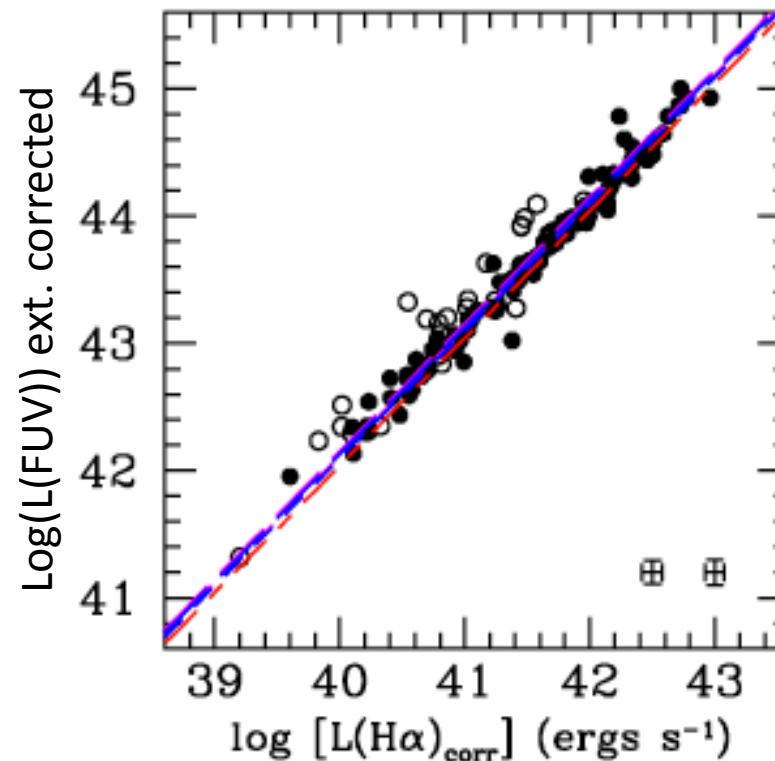
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Is a constant SFR a reliable assumption to measure SFR in galaxies?

Probably **YES** for the nearby universe

- SINGS
- MK06

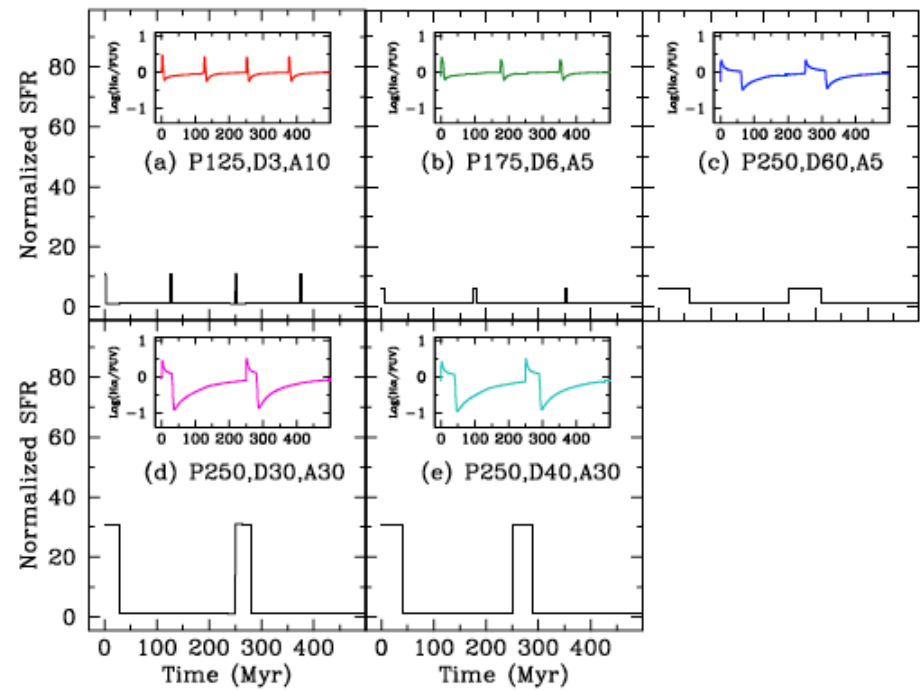
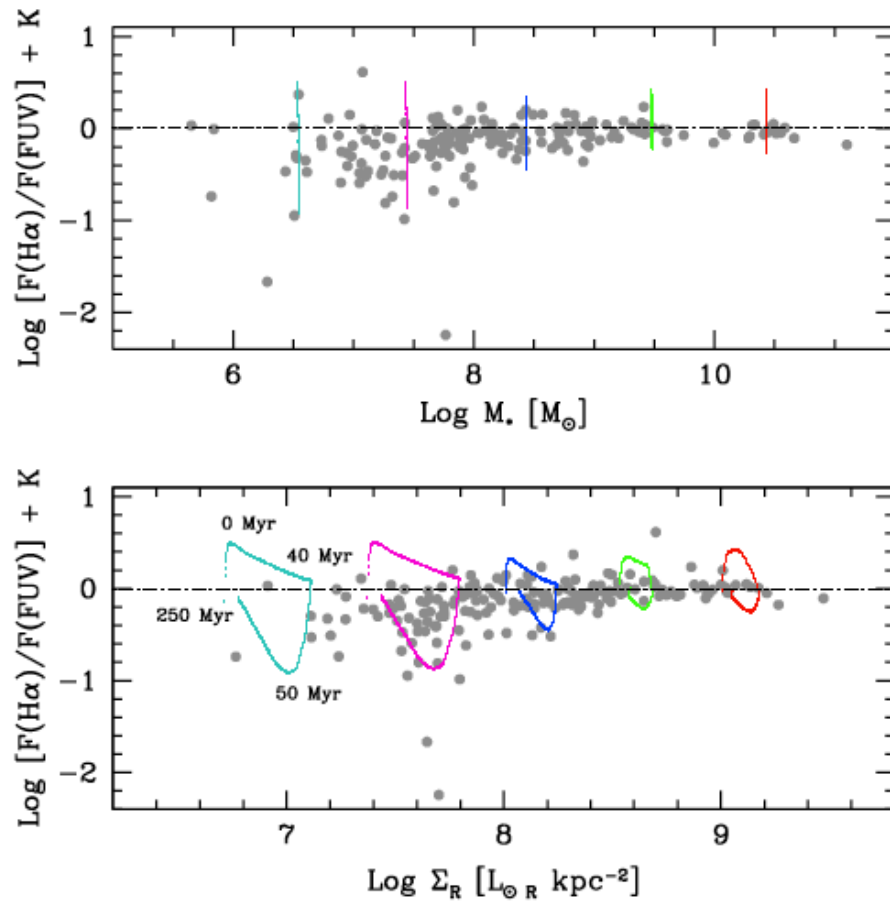


Hao+11

Extinction corrected H α and FUV luminosities fully consistent with a constant SFR over 100 Myr

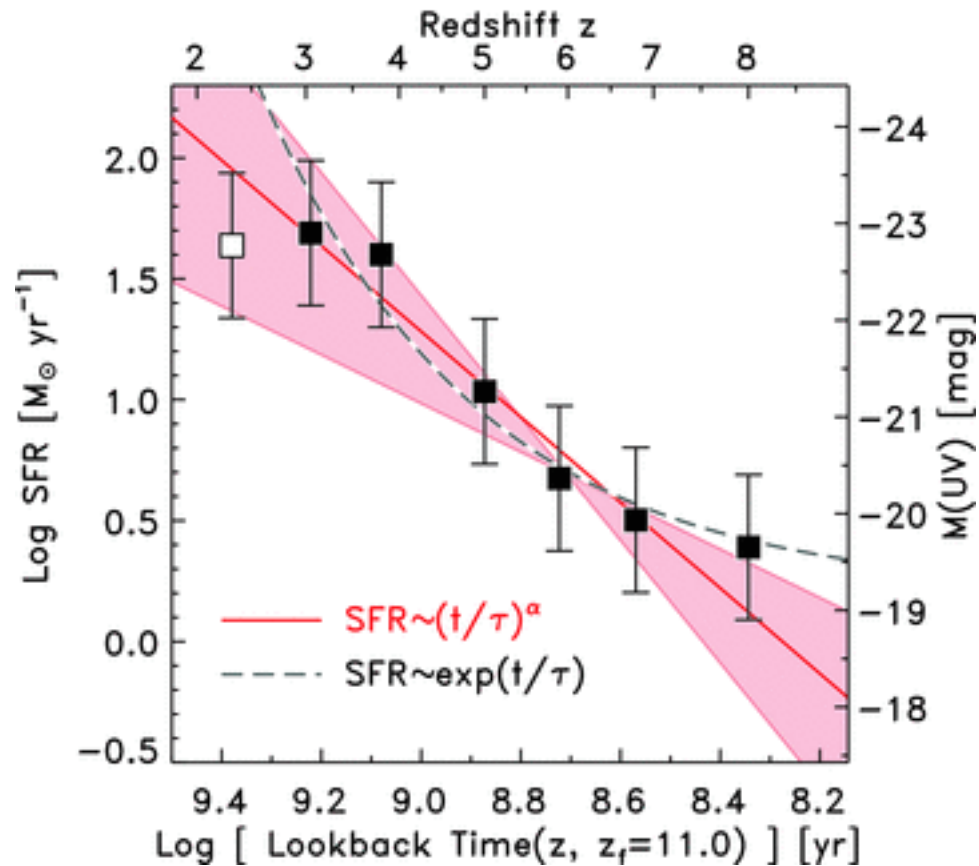
But dwarf galaxies: best cases to measure SFH variations,
Weisz+12, Lee+09

Variations of the SFH seen in $H\alpha/UV$ ratio:



Star Formation at high z

Some evidence for an increasing star formation at $z > 2$



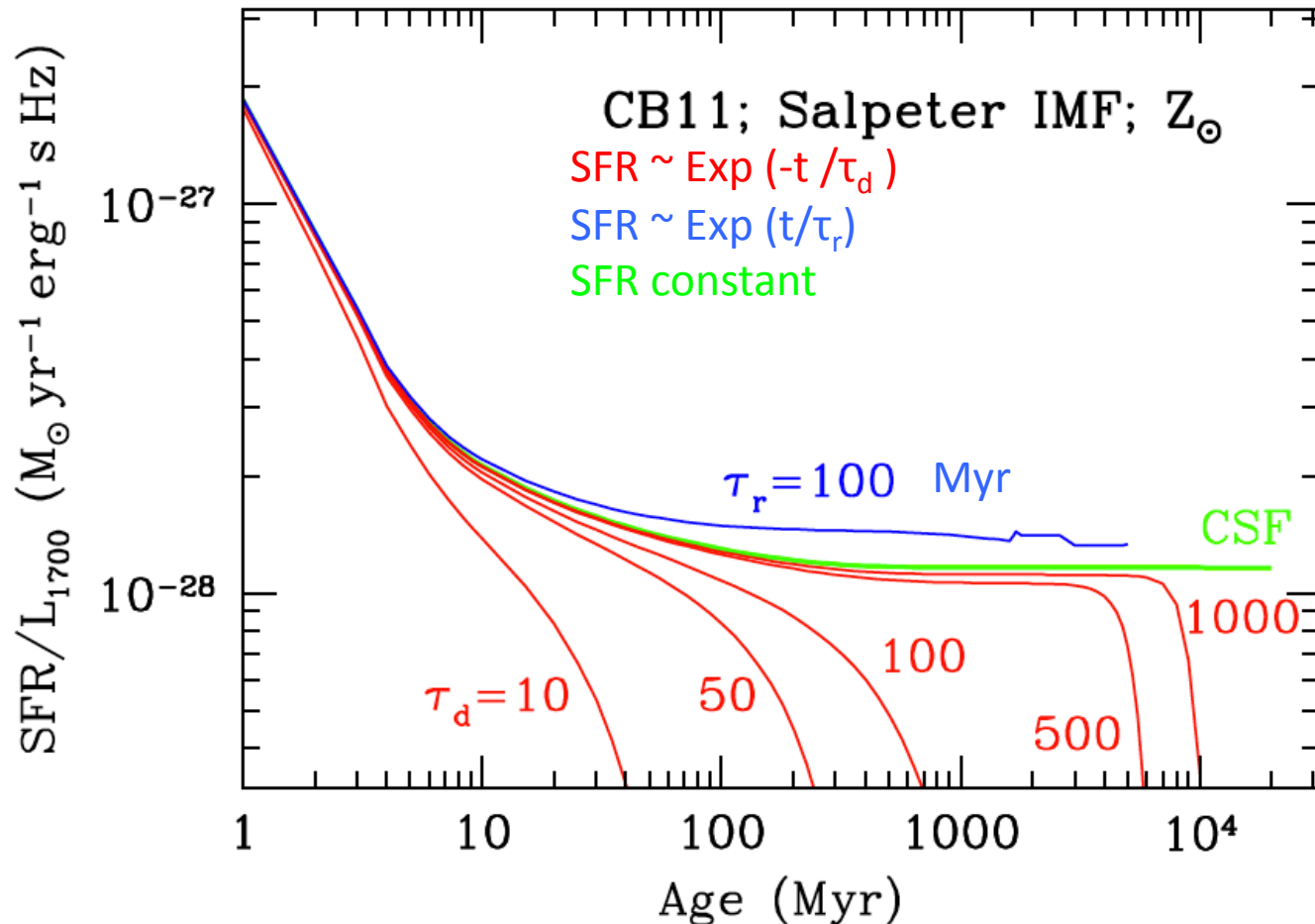
Papovich+11

Power law $\alpha=1.7$
Increasing exp $\tau \sim 0.5$ Gyr
(Papovich+11)

More physical models:
Increasing SFR allows a SF
starting at very high z
(Maraston+10, Lee+11,
Renzini09)

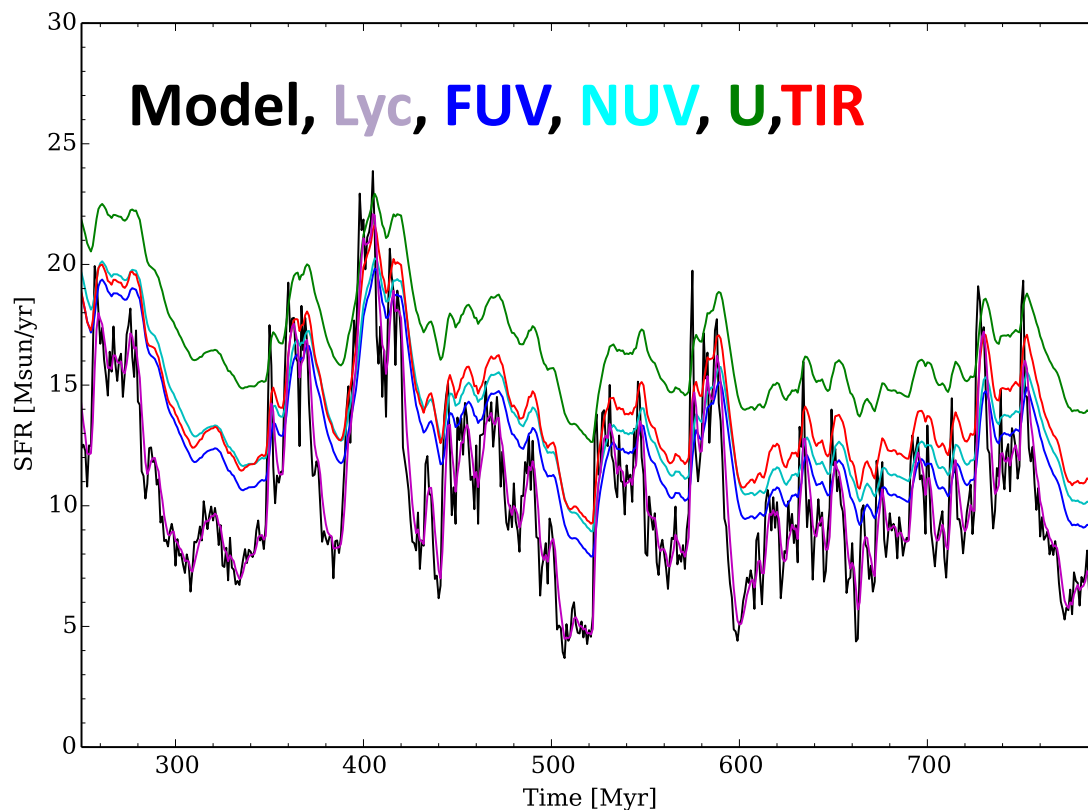
Exponentially decreasing and increasing SFR →
calibration not very different from a CSF for 'realistic' SFH

Reddy+12



Models from MIRAGE hydrodynamical simulations

Boquien, Buat & Perret 2014



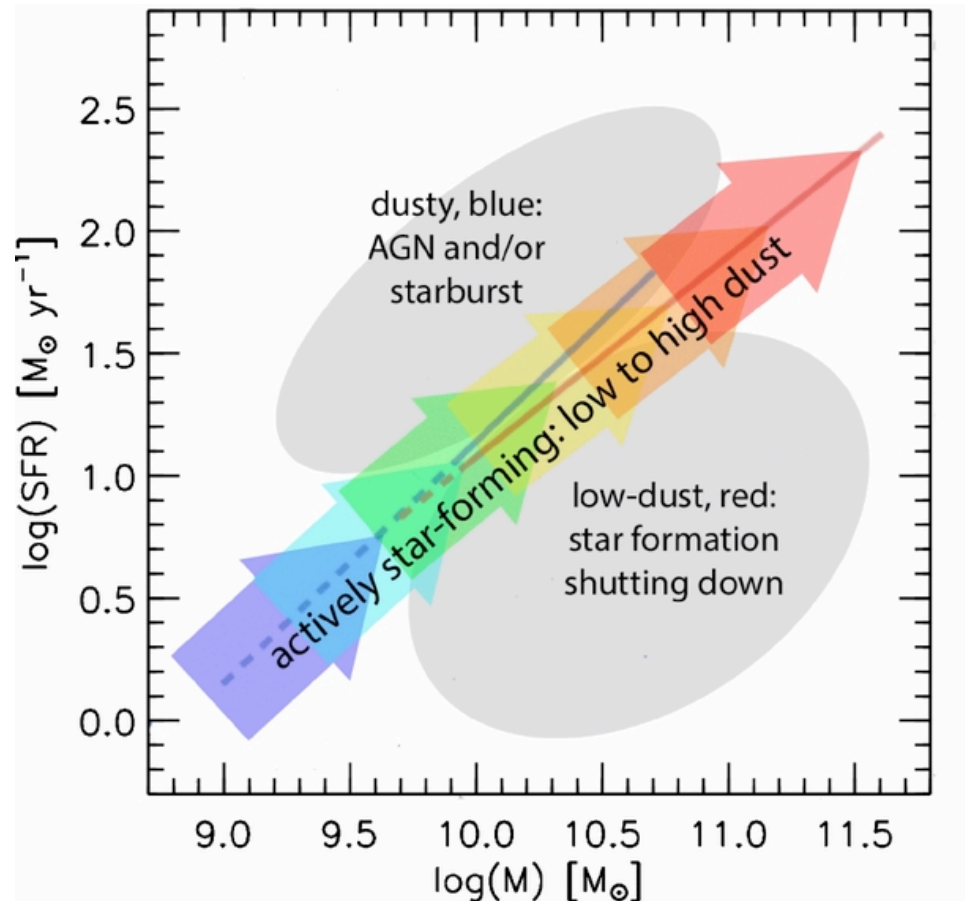
- SFR estimators in **Ly α , FUV, NUV, U, TIR**, assuming a constant SFR over 100 Myr

- No attenuation** except in TIR (all the stellar luminosity is re-emitted by dust)

Except for Ly α , overestimation of the SFR: **25% in FUV**, **65% in U**
Explained by the contribution of stars older than 100 Myr

→ **SFR estimators on timescales larger than 100 Myr**
are better for non starbursting galaxies

Impact of the SFH on the Main Sequence (SFR- M_{star} relation)

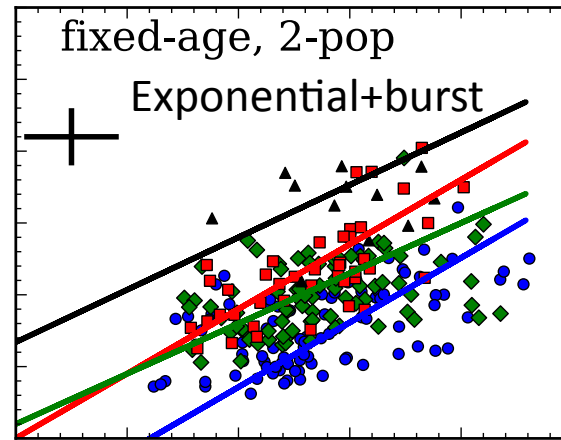
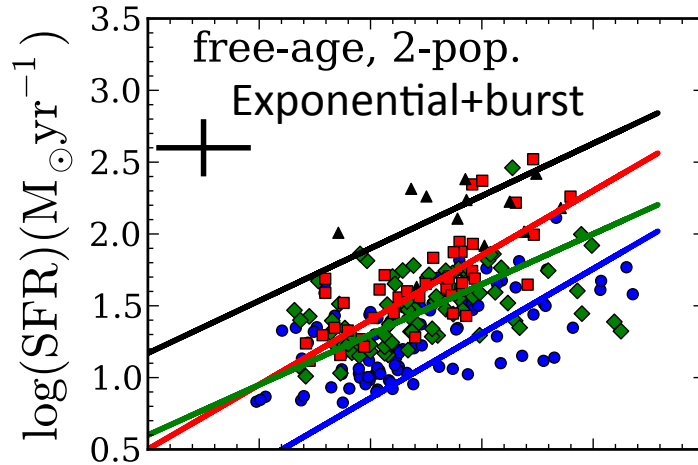


Whitaker+12

The Main Sequence (SFR- M^* relation) argue for a smooth evolution of the star formation, only starburst galaxies, above the Main Sequence, may experiment short bursts

Choosing different Star Formation Histories to derive the SFR- M_{star} relation in a consistent way: Impact of the SFH

Buat +14



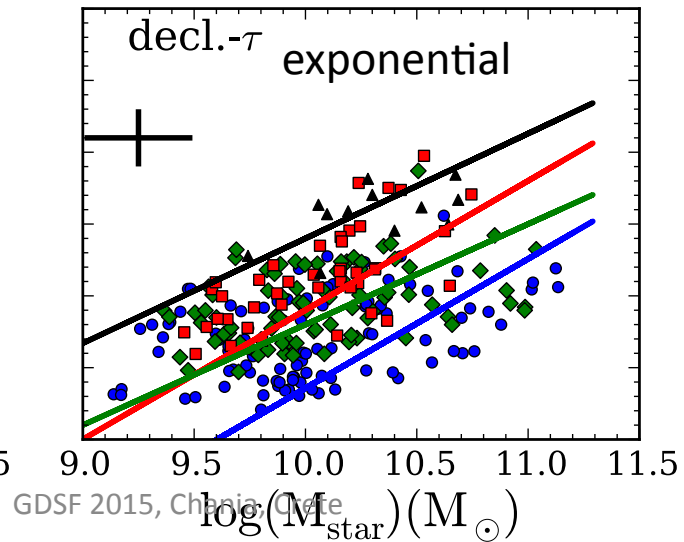
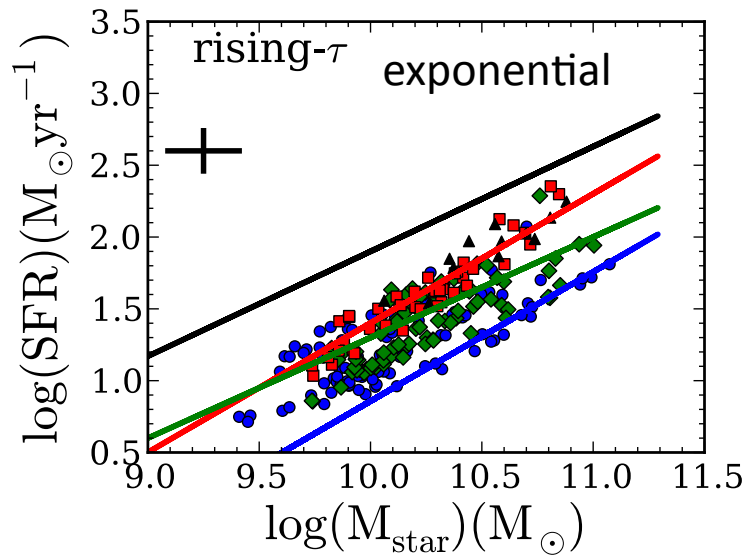
Data:

1 < z < 1.2:

1.2 < z < 1.7

1.7 < z < 2

z > 2



Lines:

Elbaz+07, z=1

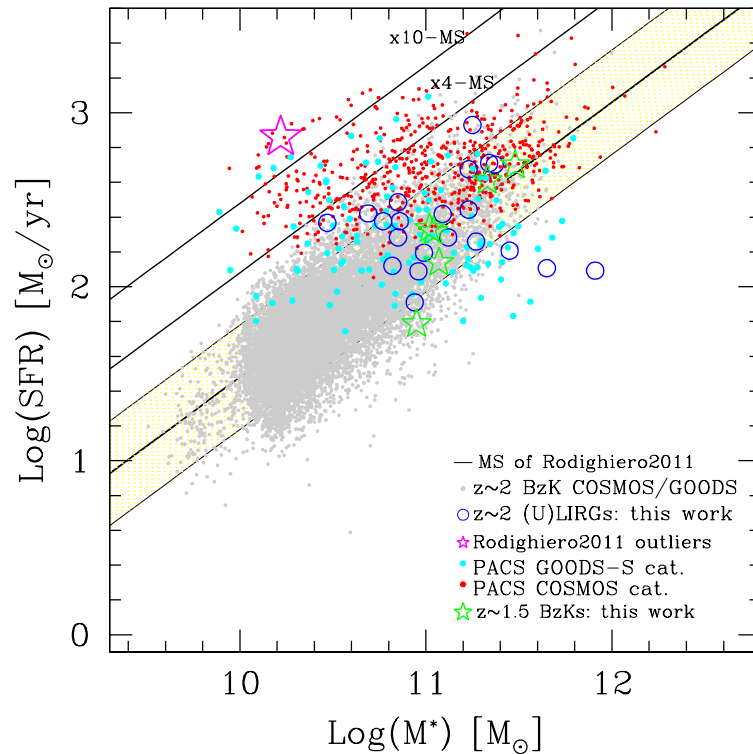
Heinis+13, z=1.5

Daddi+07, z=2

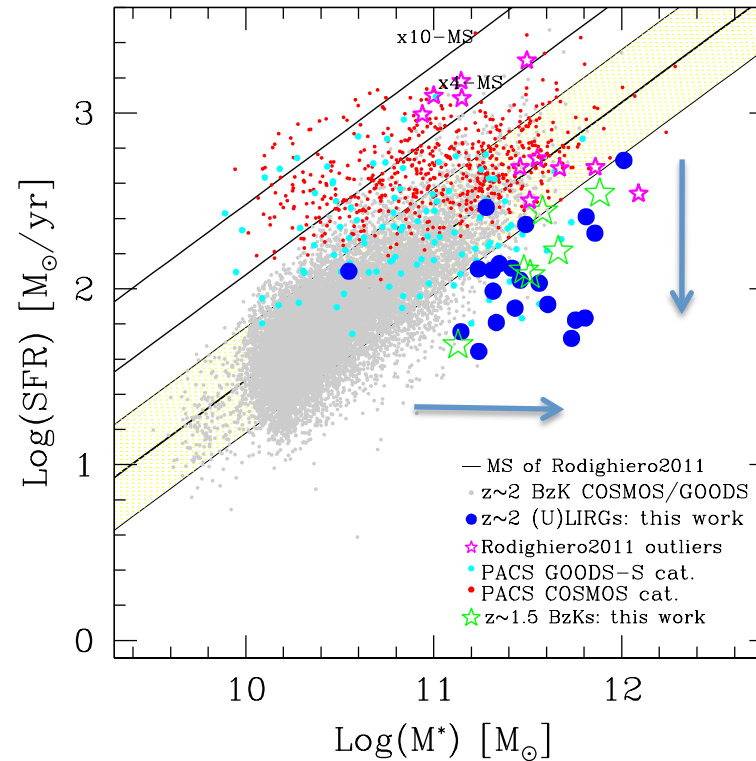
Heinis+13; z=3

(U)LIRGs at $z \sim 2$ analysed with the GRASIL code

Lo Faro (2013/14)



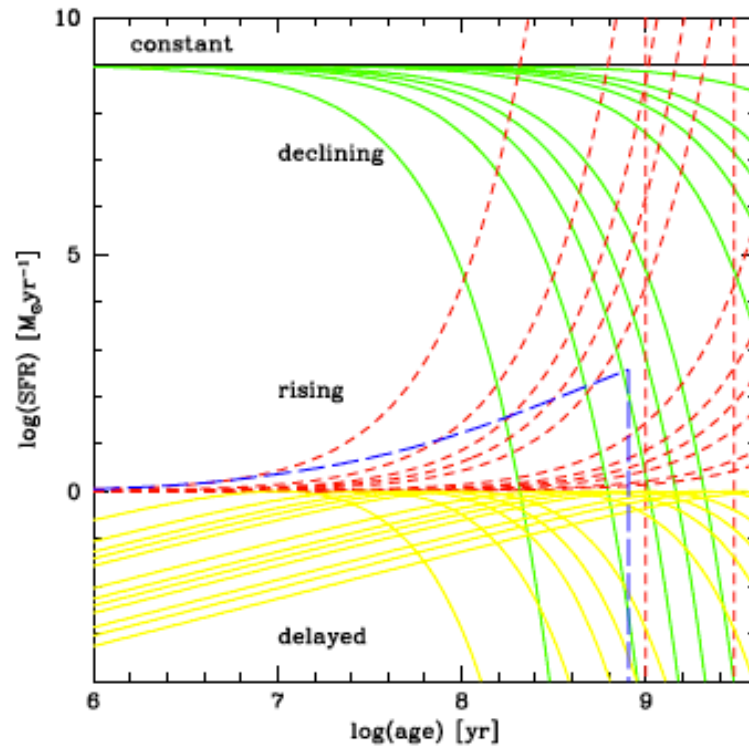
SFR from Kennicutt 98 recipe
 M^* from HYPERZ



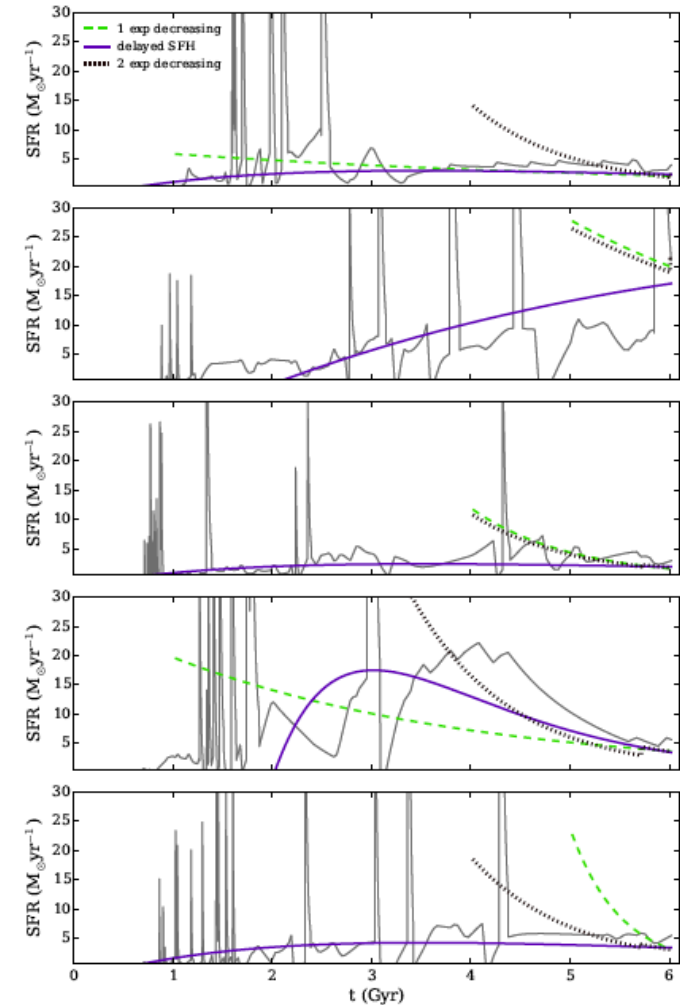
SFR and M^* with GRASIL

Star formation history: simple modeling versus 'realistic' simulations

Simple models are usually assumed
Schaerer+14



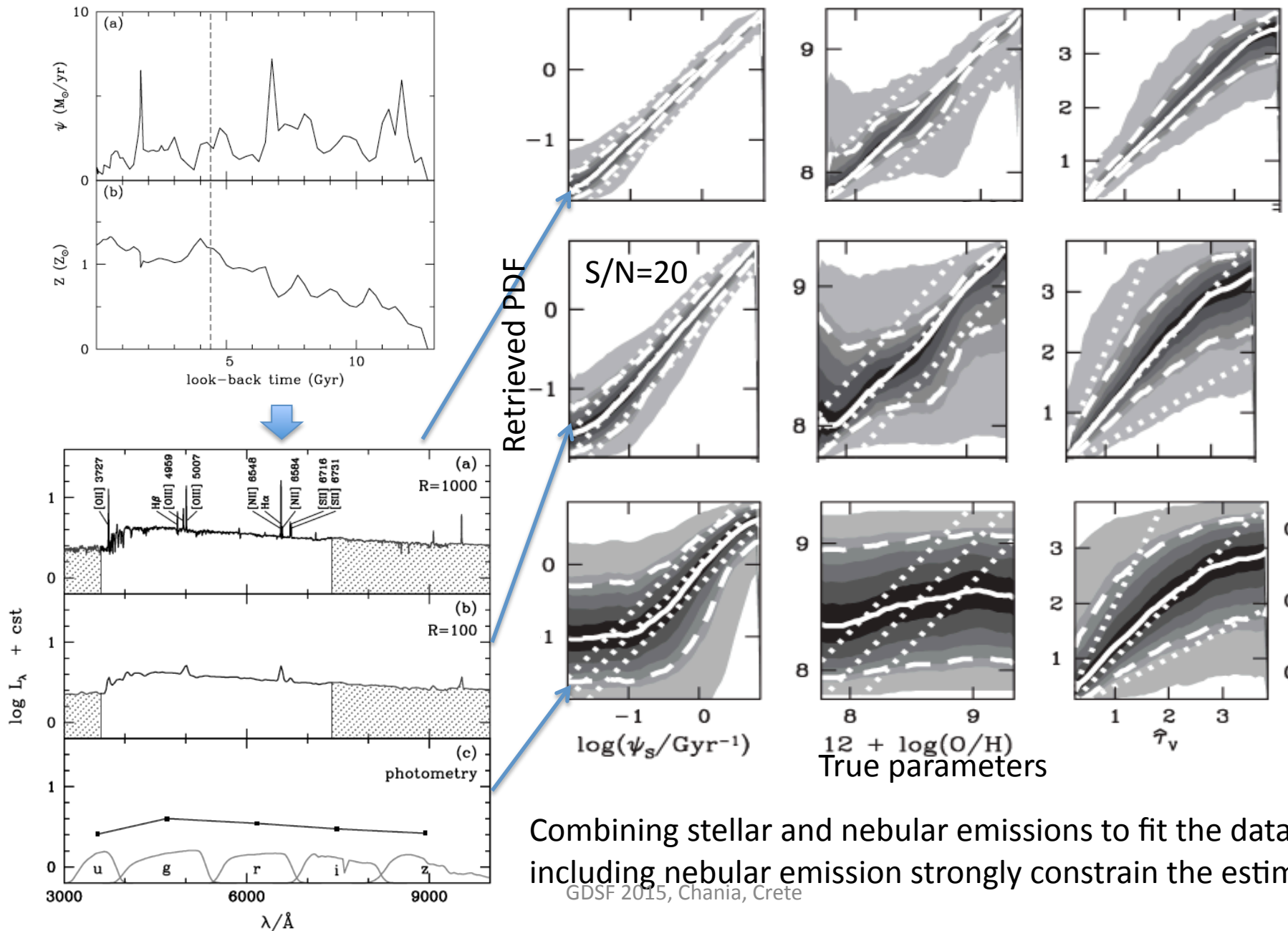
SFH from numerical models,
compared to simple models
Ciesla+15



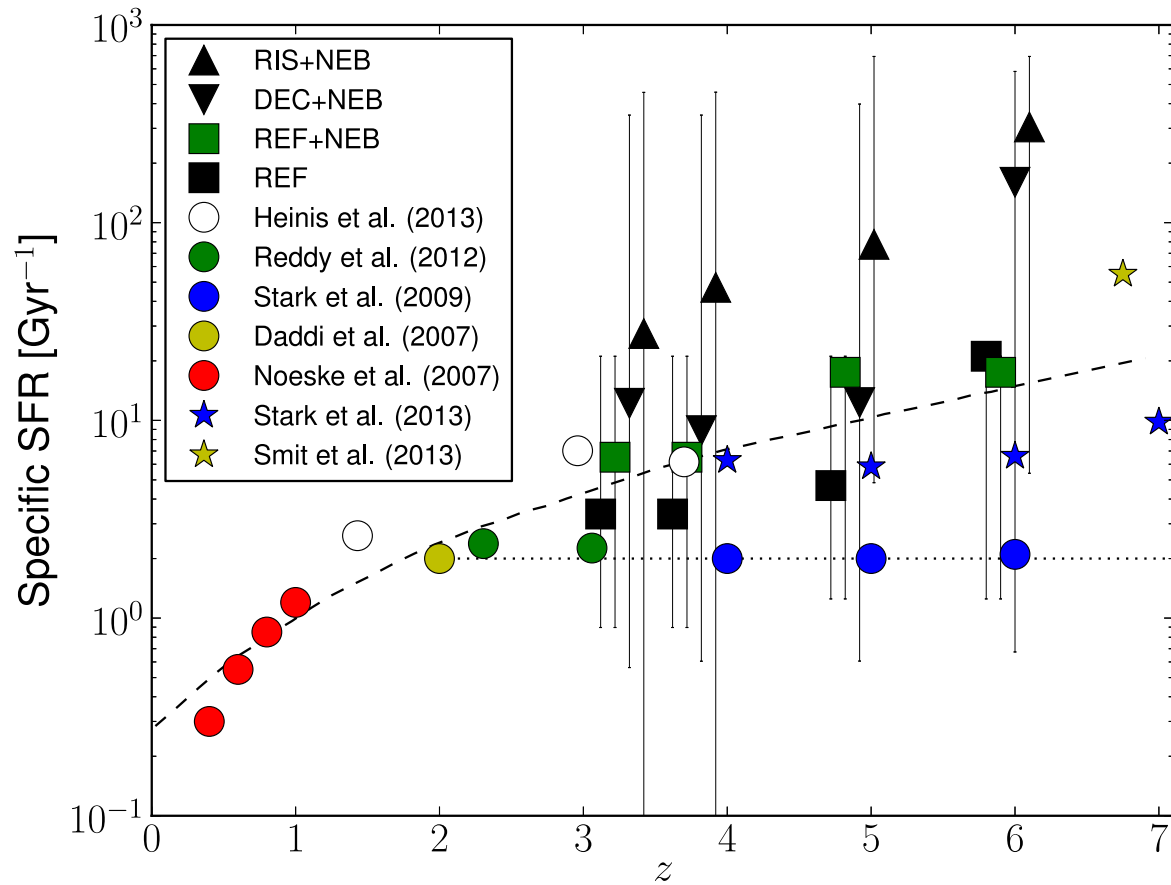
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Pacifici+12, pseudo-observations from Millenium simulations, analysis of SEDs



Photometric data at high redshift :
the **presence of emission lines** in the band may strongly
modify the measure of the SFR

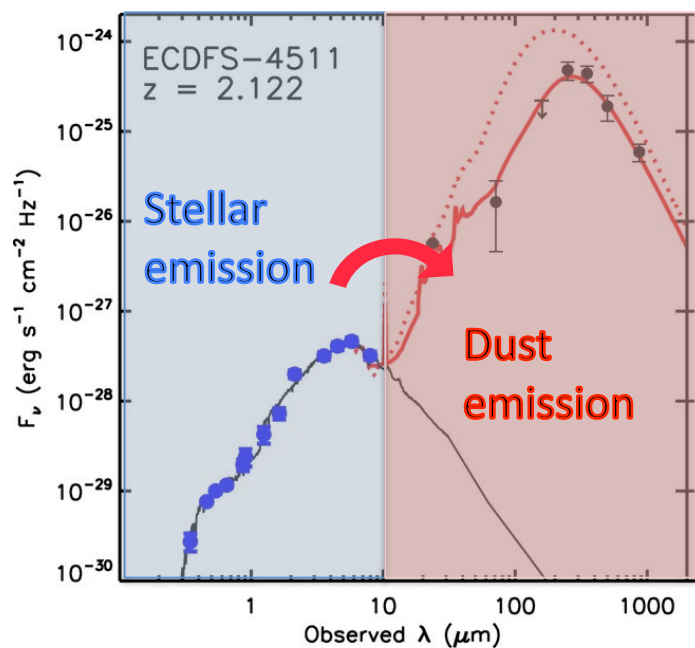


de Barros+14, see also Stark+13, Gonzalez+13

Outline

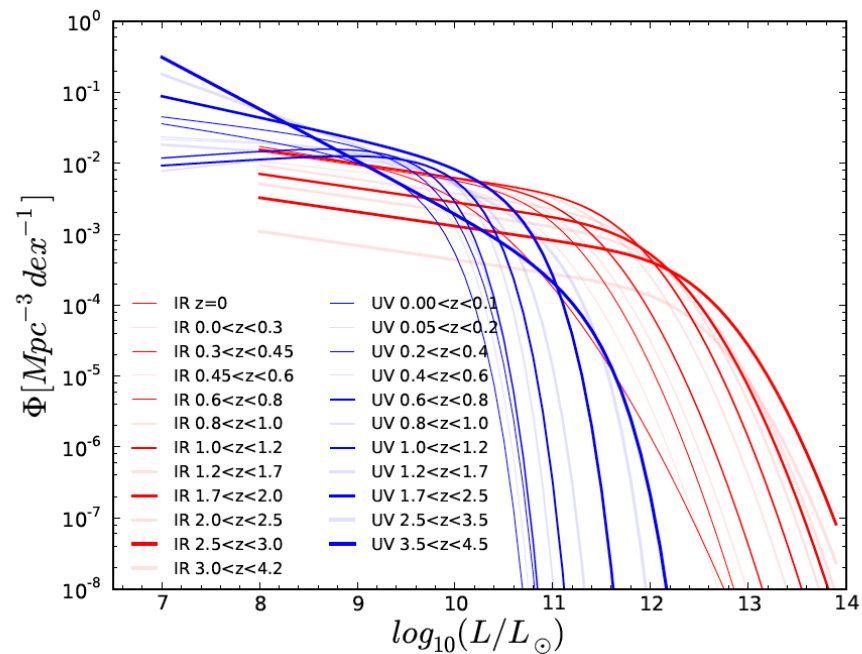
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Dust absorption and re-emission in galaxies: general context



Adapted from Muzzin+10

UV and IR luminosity functions strongly differ



Gruppioni+13, Cucciati+12, Burgarella+13

At least half of the SFR is locked in IR at $z=0$
and the fraction increases with z (up to $z \sim 2$)
(Takeuchi+06, Burgarella+13)

L_{IR} (5-1000 μm) : a reliable measure of the SFR?

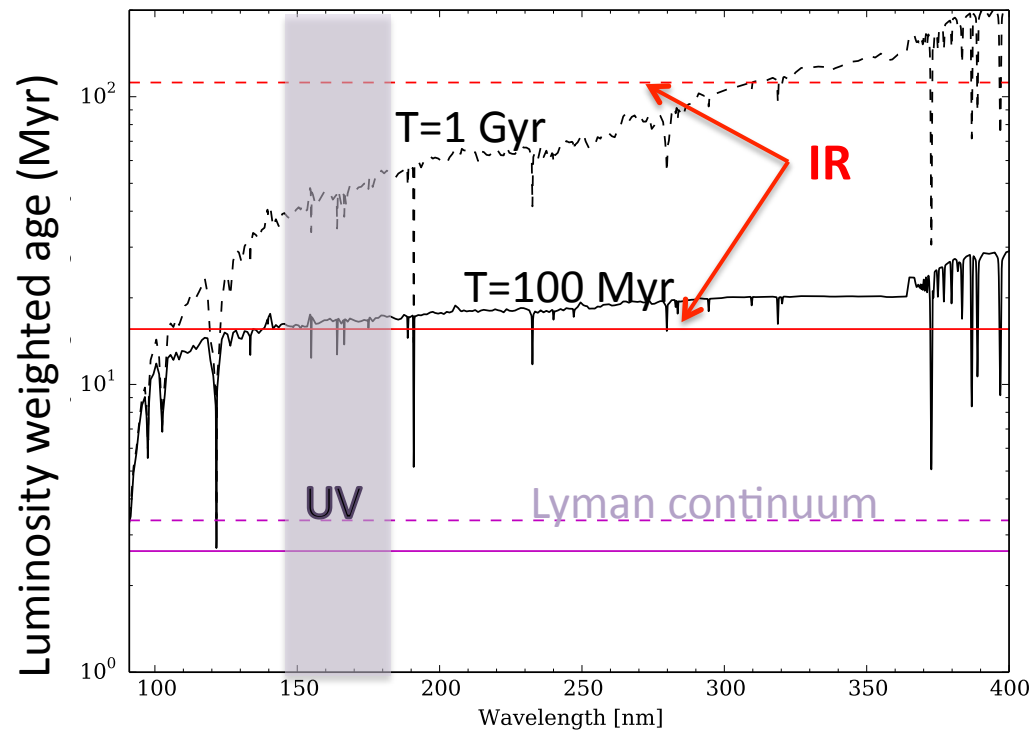
A very strong hypothesis:

complete dust obscuration, dust heating fully due to young stars

Timescale for the calculations: constant SFR over 10 -100 Myr

$$L_{\text{IR}} = L_{\text{bol}} \text{ (Kennicutt 98)}$$

→ calibration varying by $\sim 30\%$ from 10 to 100 Myr (SB99)



Composite tracers: stellar and dust emissions

(Hirashita+04, Iglesias-Paramo+07, Kennicutt+09, Calzetti+07,09, Hao+11, Kennicutt & Evans12, Leroy+09,+12, Zhu+08, Elbaz+07, Daddi+07, Wuyts+11 etc...)

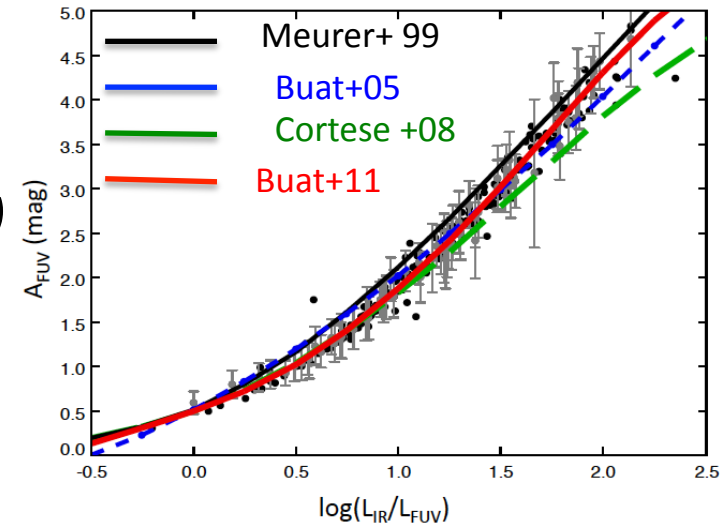
Combining L_{IR} and L_{FUV} would give the total light from young stars.
In a very simplified way we can write:

$$L_{FUV(\text{corr})} = L_{FUV(\text{obs})} + k_{IR} L_{IR}$$

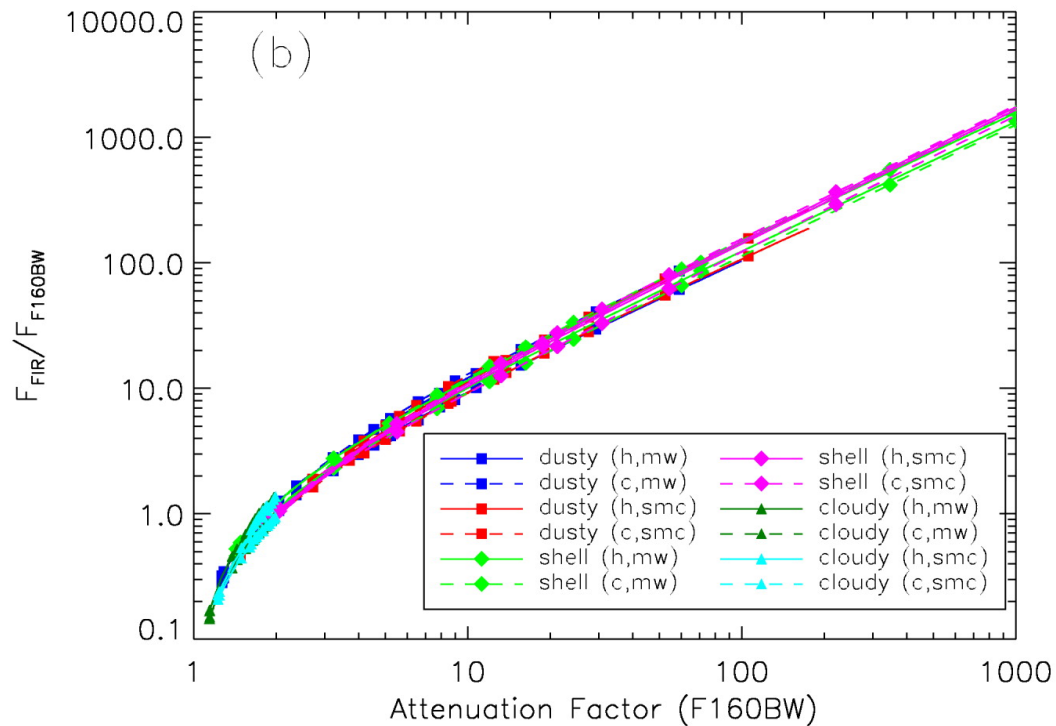
$$\rightarrow A_{FUV} = f(\text{IRX}), \text{IRX} = L_{IR} / L_{FUV(\text{obs})}$$

with $L_{IR} : 5\text{-}1000 \mu\text{m}$, $L_{FUV} = \nu \cdot F_{\nu}$ at 150 nm
(e.g. Meurer et al. 99, Buat+05,+11,
Cortese+08, Hao et al. 11, Kennicutt & Evans 12)

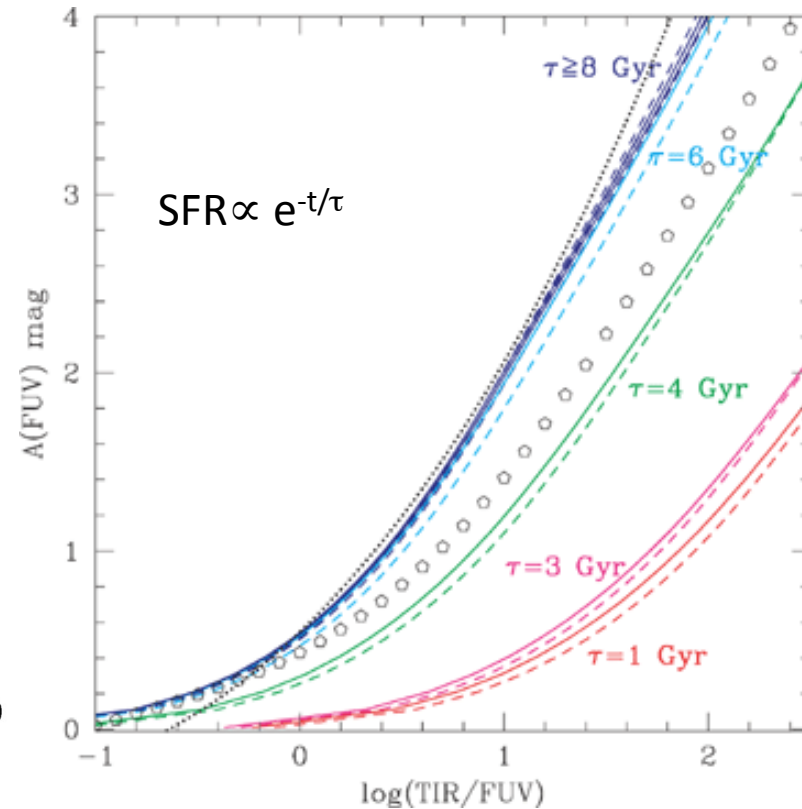
$$\rightarrow \text{SFR} (M_{\odot} \text{ yr}^{-1}) = C L_{FUV(\text{corr})}$$



$L_{\text{IR}}/L_{\text{UV}}$ flux ratio is a robust tracer of the dust attenuation for star forming galaxies only

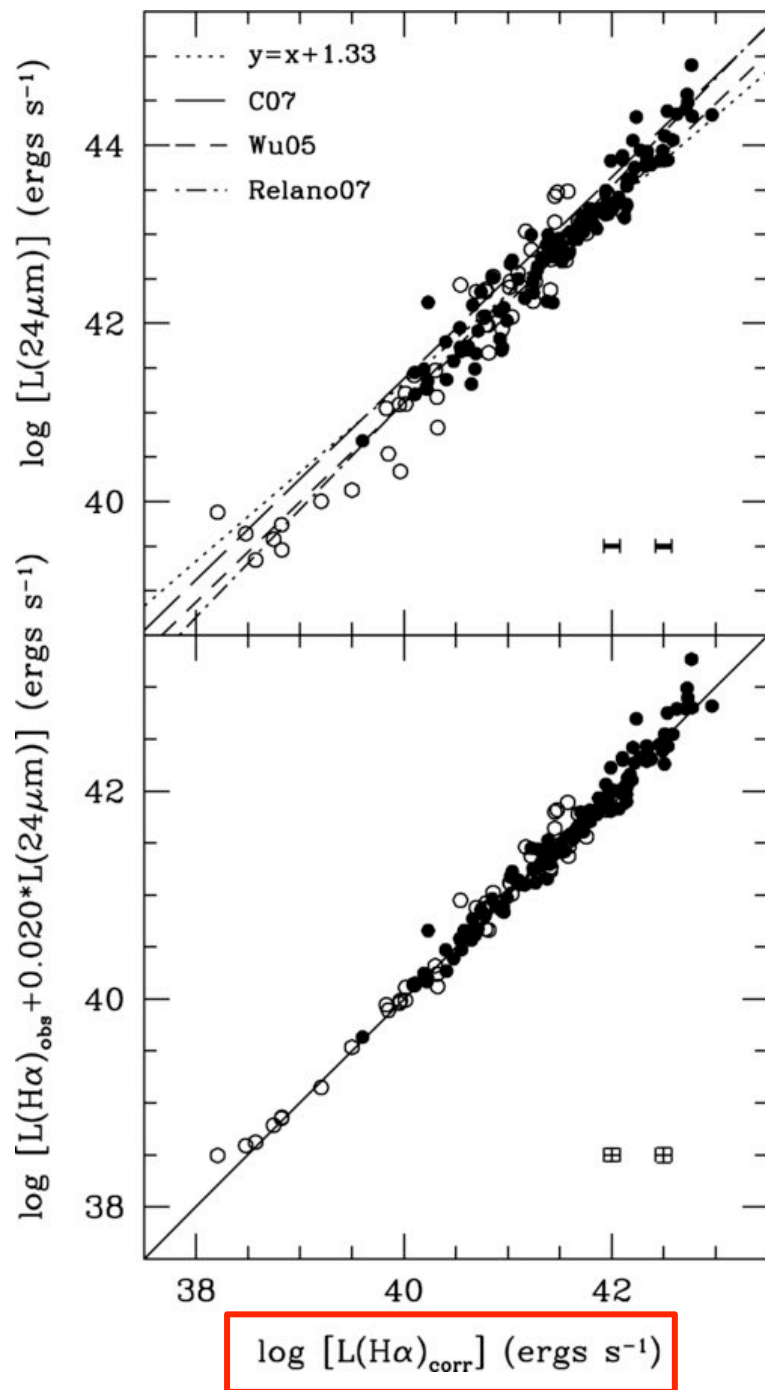


Star forming galaxies and various geometries/dust properties
Gordon et al. 2000



Cortese et al. 08

The calibration depends on the star formation history



Various combinations of luminosity from young stars (**H α** , **FUV**, **NUV**) and from dust (**L(TIR)**, **L(24 μ m)**, **L(8 μ m)**)

TABLE 1
MULTI-WAVELENGTH DUST-CORRECTIONS

Composite Tracer	Reference
$L(\text{FUV})_{\text{corr}} = L(\text{FUV})_{\text{obs}} + 0.46 L(\text{TIR})$	1
$L(\text{FUV})_{\text{corr}} = L(\text{FUV})_{\text{obs}} + 3.89 L(25 \mu\text{m})$	1
$L(\text{FUV})_{\text{corr}} = L(\text{FUV})_{\text{obs}} + 7.2 E14 L(1.4 \text{ GHz})^{\text{a}}$	1
$L(\text{NUV})_{\text{corr}} = L(\text{NUV})_{\text{obs}} + 0.27 L(\text{TIR})$	1
$L(\text{NUV})_{\text{corr}} = L(\text{NUV})_{\text{obs}} + 2.26 L(25 \mu\text{m})$	1
$L(\text{NUV})_{\text{corr}} = L(\text{NUV})_{\text{obs}} + 4.2 E14 L(1.4 \text{ GHz})^{\text{a}}$	1
$L(\text{H}\alpha)_{\text{corr}} = L(\text{H}\alpha)_{\text{obs}} + 0.0024 L(\text{TIR})$	2
$L(\text{H}\alpha)_{\text{corr}} = L(\text{H}\alpha)_{\text{obs}} + 0.020 L(25 \mu\text{m})$	2
$L(\text{H}\alpha)_{\text{corr}} = L(\text{H}\alpha)_{\text{obs}} + 0.011 L(8 \mu\text{m})$	2
$L(\text{H}\alpha)_{\text{corr}} = L(\text{H}\alpha)_{\text{obs}} + 0.39 E13 L(1.4 \text{ GHz})^{\text{a}}$	2

(1) Hao et al. 2011; (2) Kennicutt et al. (2009)

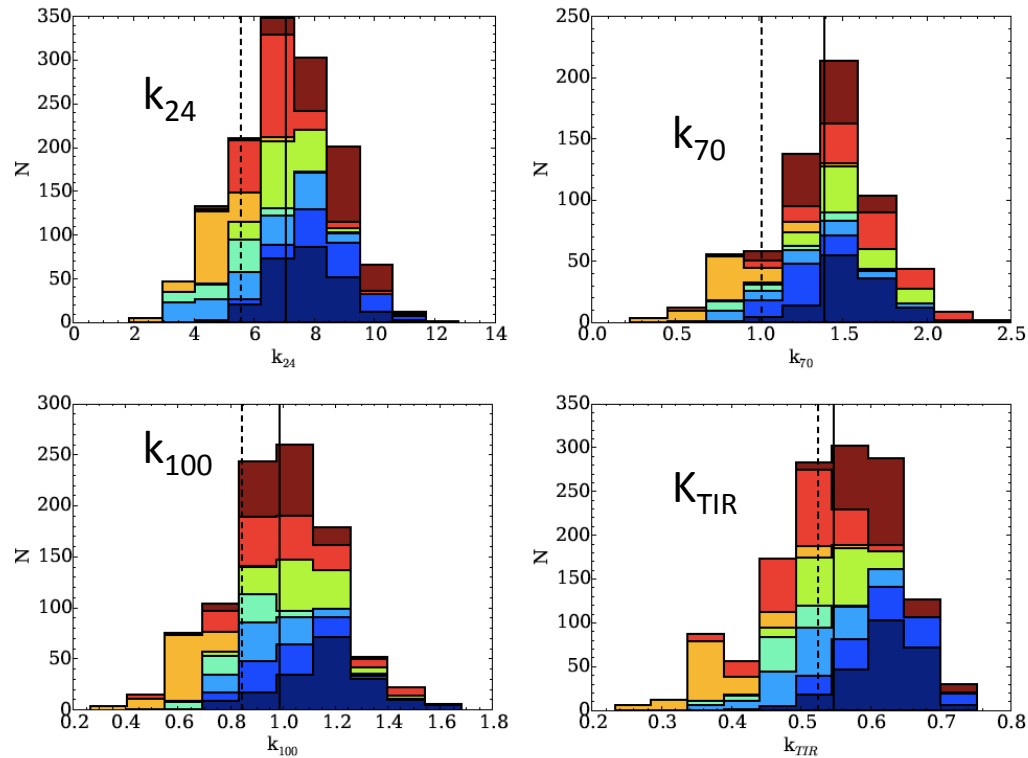
Composite tracers: Kennicutt & Evans, 2012, see also Calzetti+07, Zhu+08, Hirashita+03, Bell03, Leroy+08,12
Monochromatic IR tracers: Calzetti+05,07,09; Wu+05, Zhu+08, Rieke+09

Variations of the calibration of composite tracers inside galaxies

Boquien et al, in prep

$$L_{\text{FUV}(\text{corr})} = L_{\text{FUV}(\text{obs})} + k_{\text{IR}} L_{\text{IR}}$$

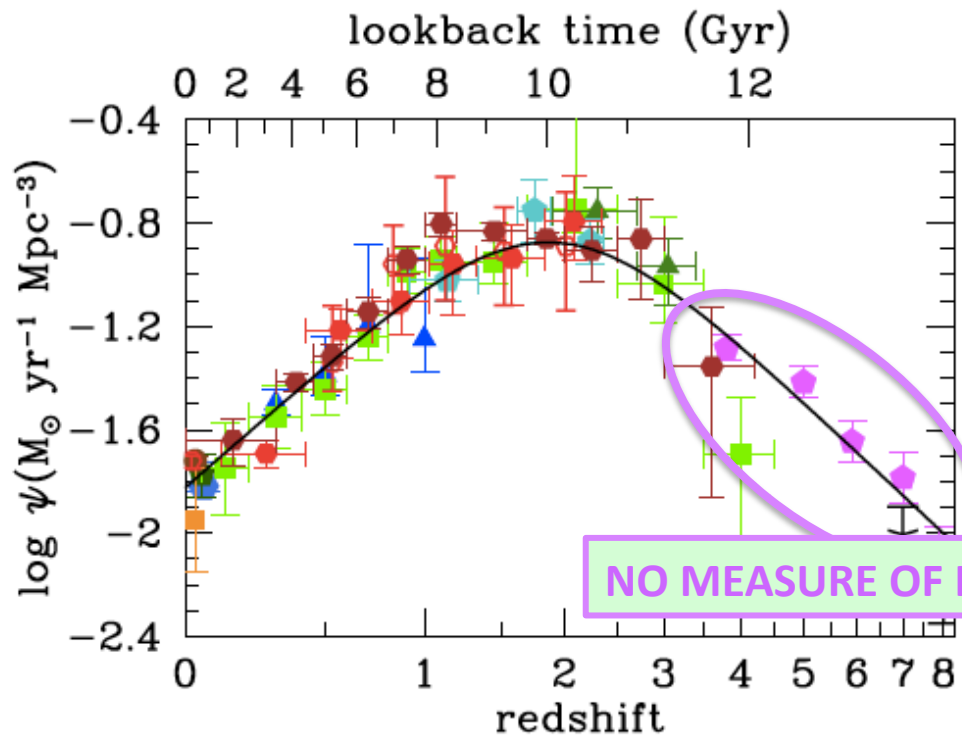
IR=TIR, 24, 70 and 100 μm



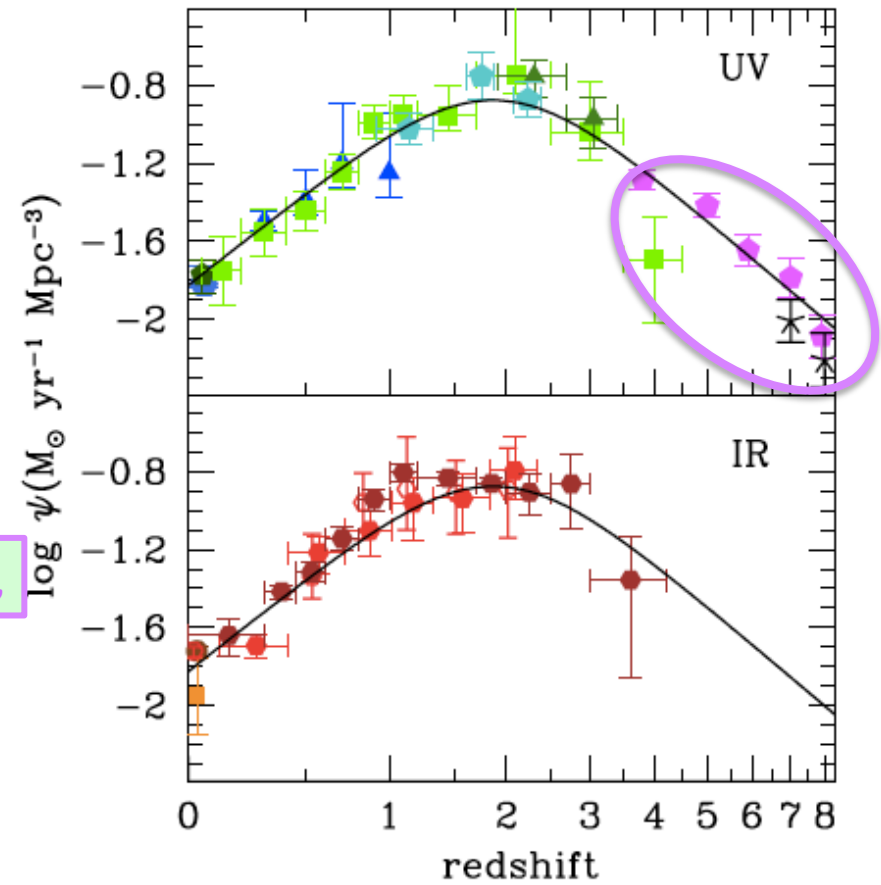
k_{IR} increases with sSFR
Values in agreement with
measurements of Hao+11
for luminosity weighted means

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Madu & Dickinson 2014



Measuring dust attenuation without IR data : the slope of the UV continuum

Meurer (+95,+99)

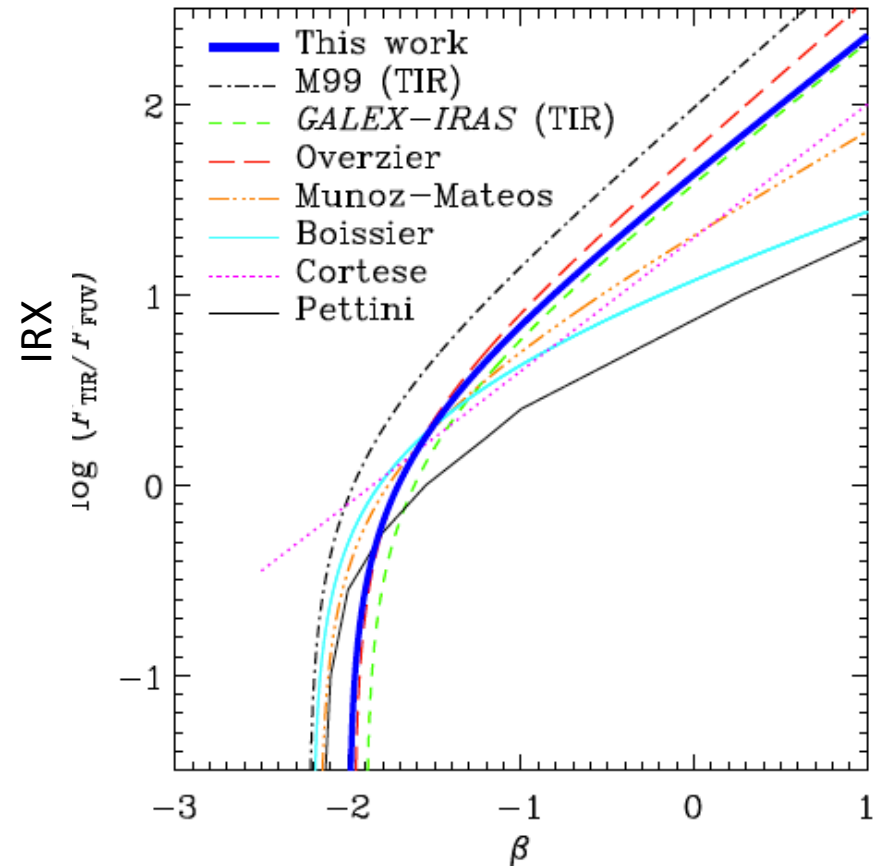
$$F_{\lambda} = \lambda^{\beta} \quad (1200 < \lambda < \sim 2500 \text{ \AA})$$

IRX for local starbursts

Normal star forming galaxies found
below the SB law
LIRGs and ULIRGs above the SB law:
various ages for the UV emitting
populations and/or dust properties?

APERTURE EFFECTS also affect the
original relation
(Overzier+11, Takeuchi+12)

*e.g. Meurer+99, Dale+07, +09, Boissier+07,
Munoz-Mateos+09, Hao+11, Howell+10,
Goldader+02, Buat+05, Overzier+11, Casey+14 etc..*



Takeuchi+12

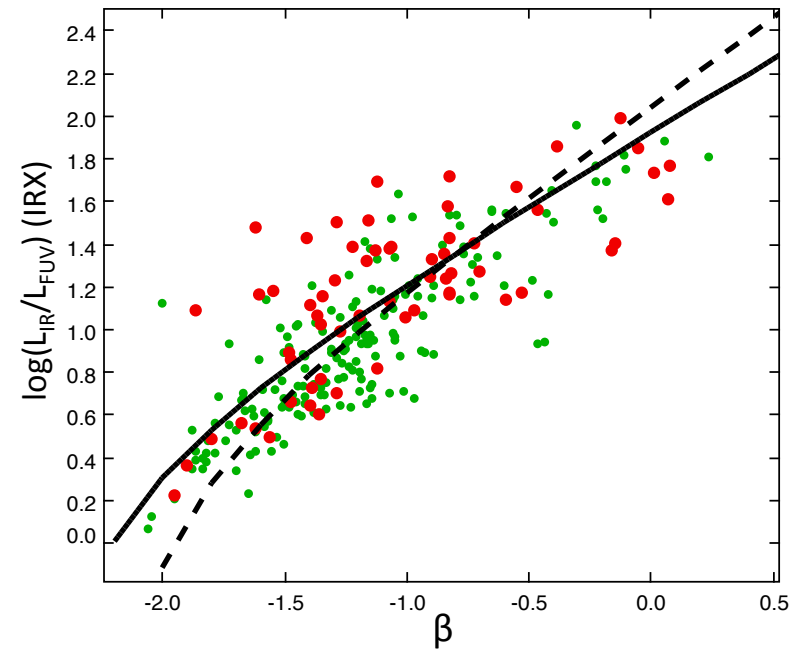
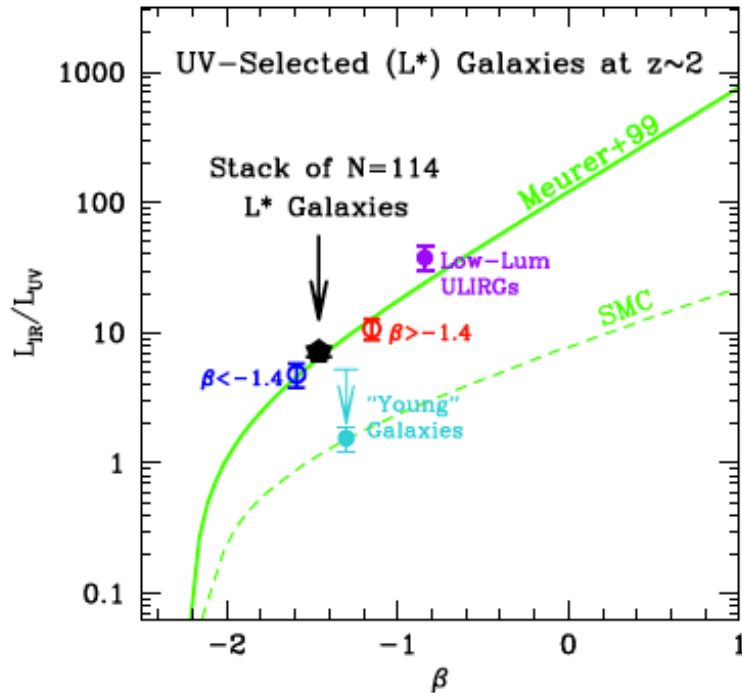
UV selected galaxies at high z

Herschel/PACS data
GOODS-Herschel project

Reddy+12, z=2



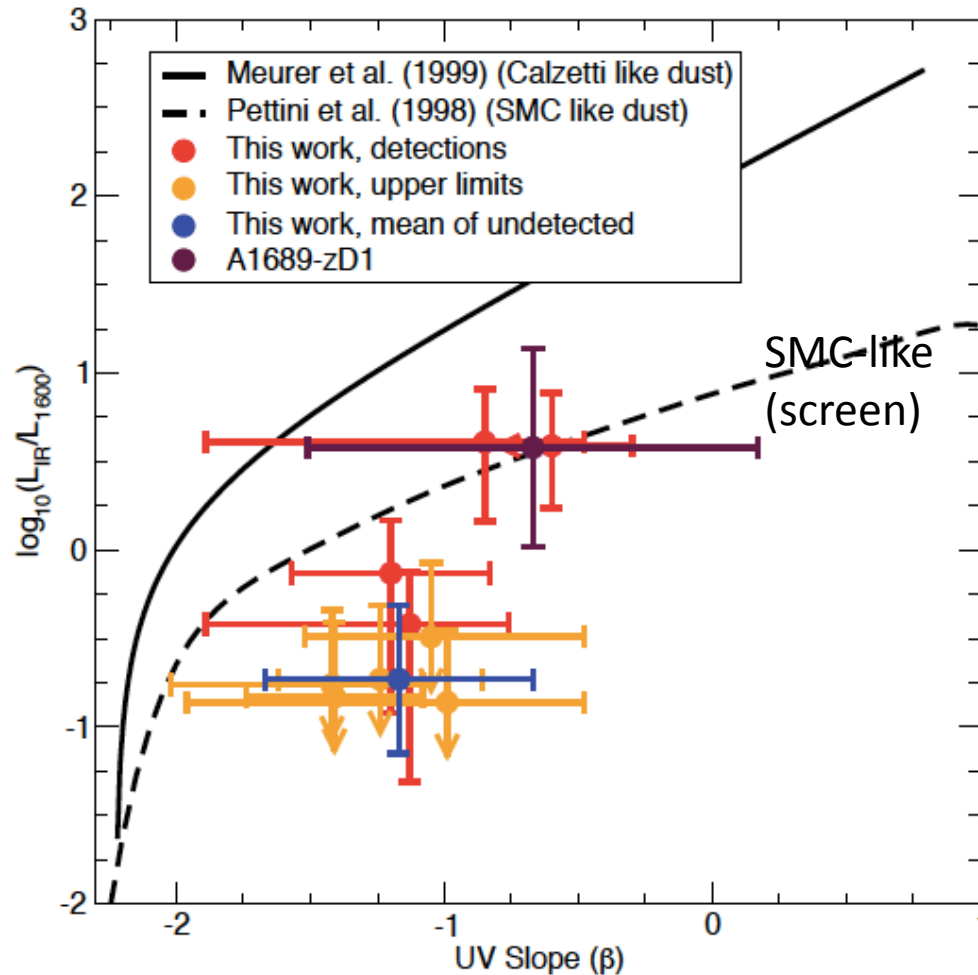
Buat+12 1<z<2



See also Burgarella+07, Reddy+08

Capak+15, Nature, in press

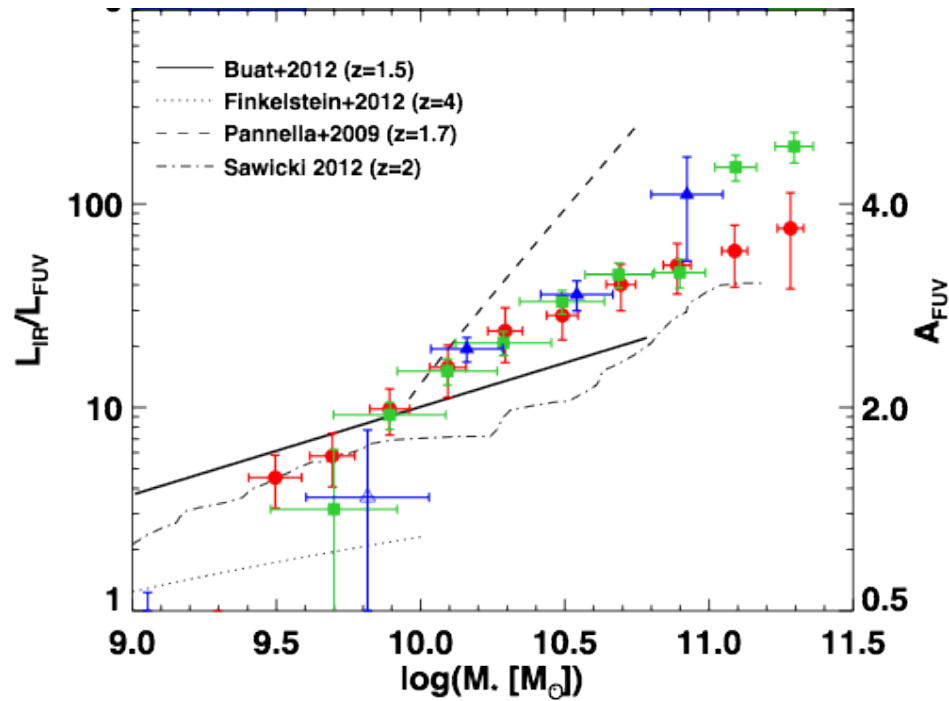
Lyman Break Galaxies at $z=5-6$ observed with ALMA with a very low dust content and not very blue colors.....



Using the SMC extinction curve instead of the Meurer law
→ SFR lower by a factor 2-4 in individual objects (40% for the SFRD)

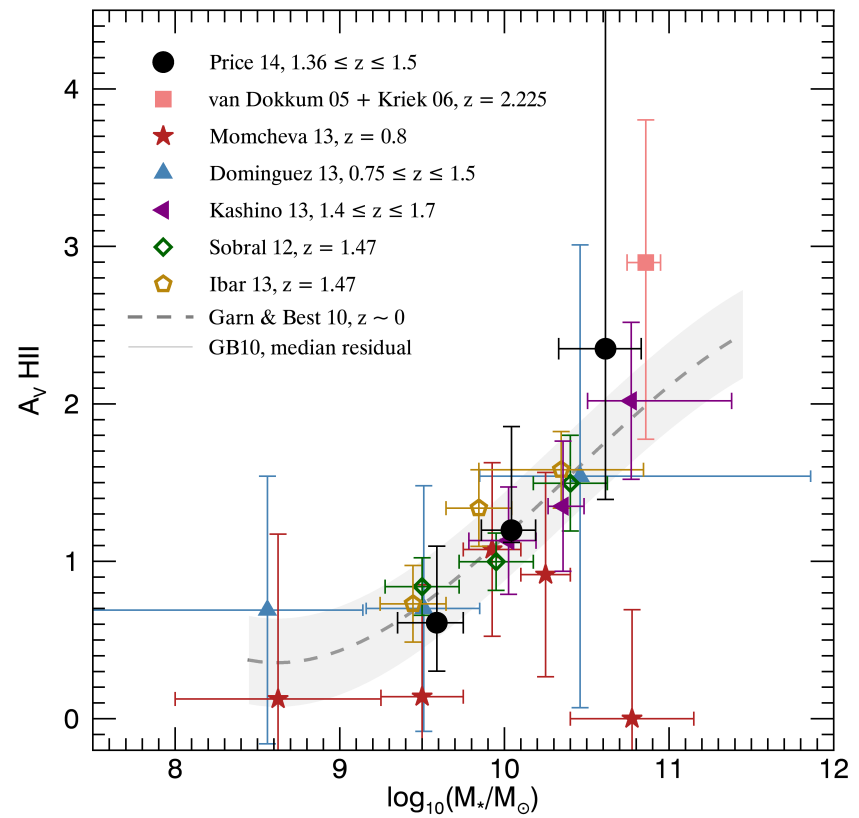
Is there a universal Attenuation-Stellar mass relation?

UV continuum



Heinis+14, see also Pannella +14

Nebular lines



Price+14

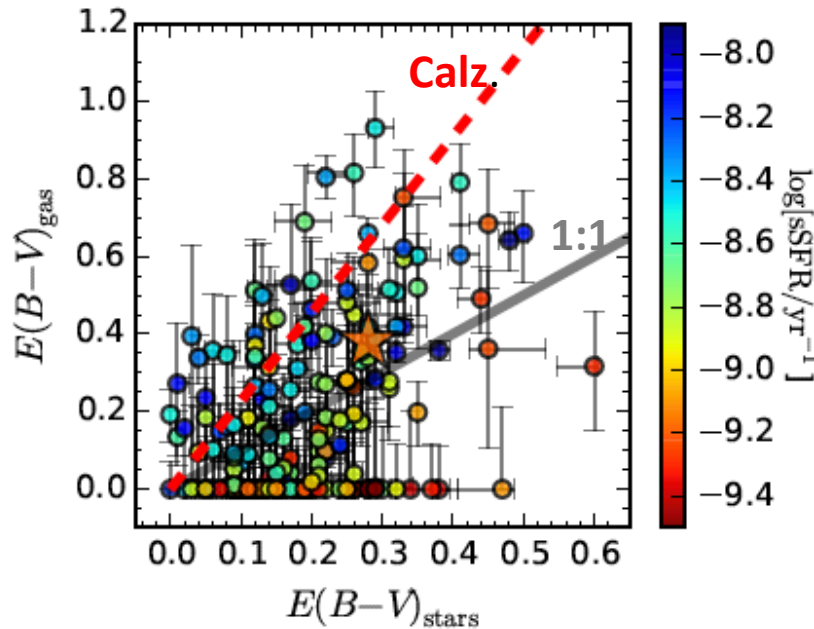
Linking the amount of attenuation in the emission lines and the stellar continuum

A differential attenuation in galaxies:
ionized gas more attenuated than stellar continuum

$$E(B-V)_s = 0.44 E(B-V)_g$$

Calzetti 97, Calzetti 01

Various estimates at high redshift, inhomogeneous methods used to apply the Calzetti's recipe (*Kashino+13, Price+14, Reddy+15*)



Large scatter...

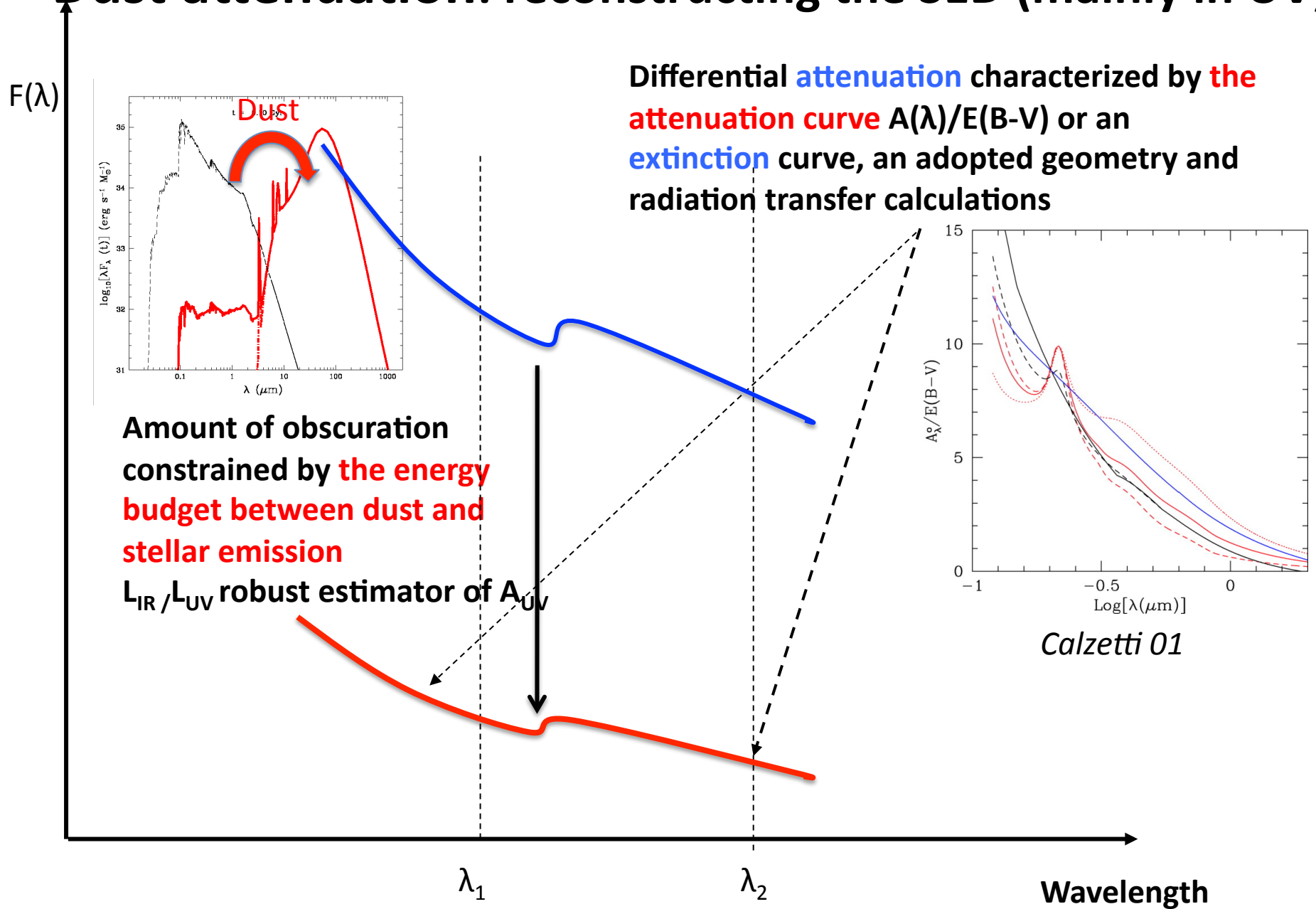
$E(B-V)_{\text{gas}} - E(B-V)_{\text{star}}$ may vary
with SFR (increase), sSFR
(Reddy+15, Price+14)

Reddy+15

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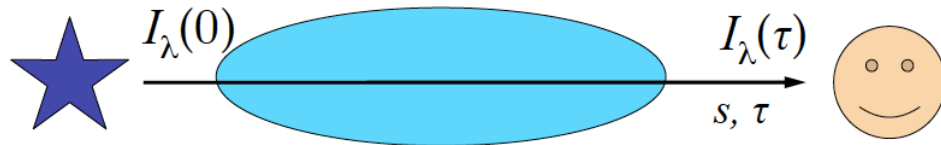
Dust attenuation: reconstructing the SED (mainly in UV)



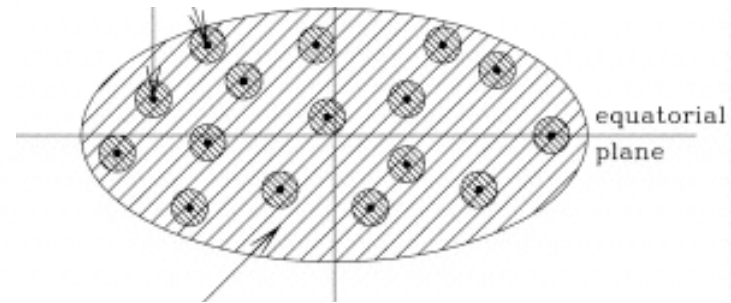
Attenuation & extinction laws in galaxies

They are different because of absorption & scattering of photons

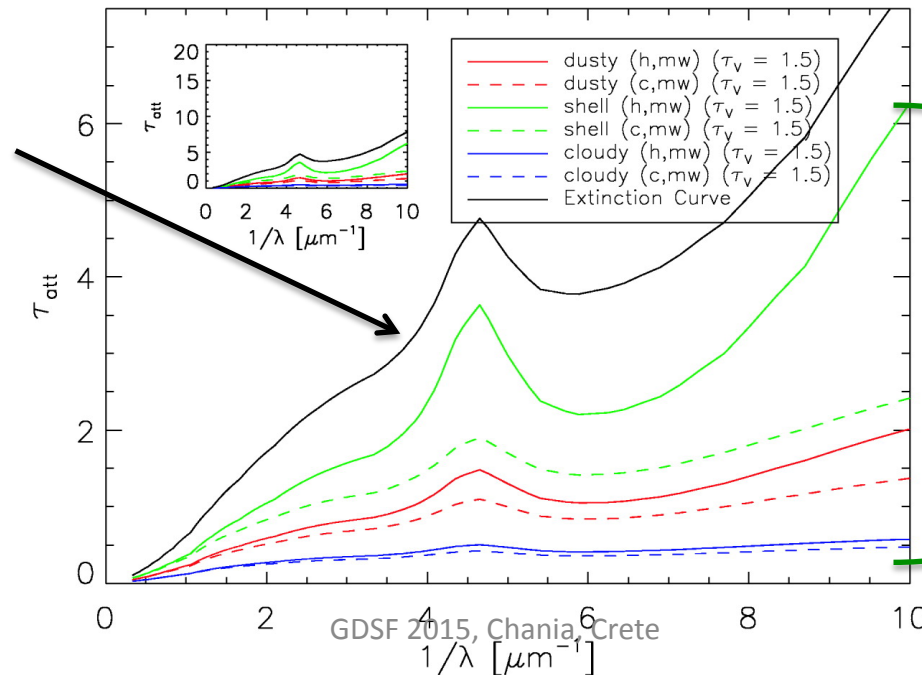
Extinction Only (UV, Opt, NIR)



Attenuation in a galaxy, stars and dust are mixed

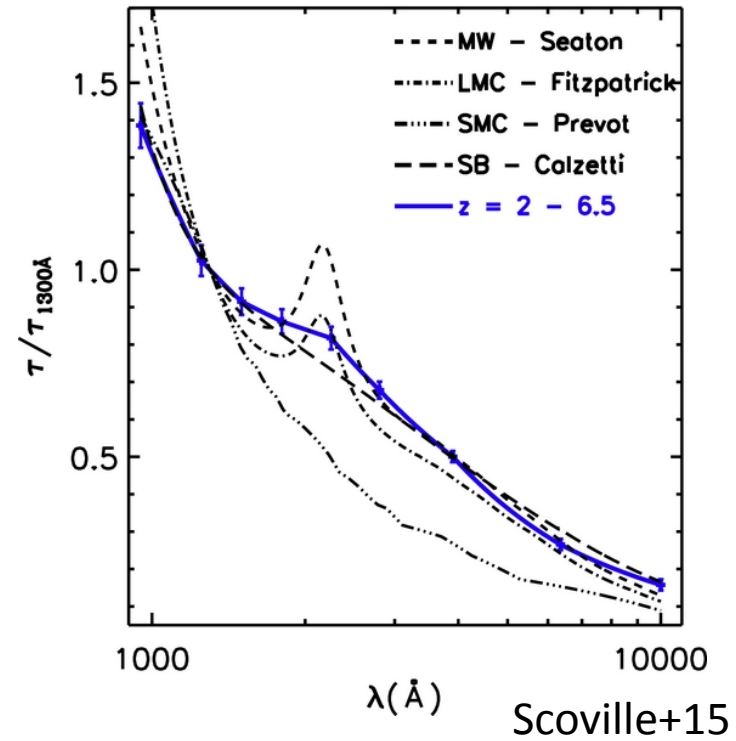
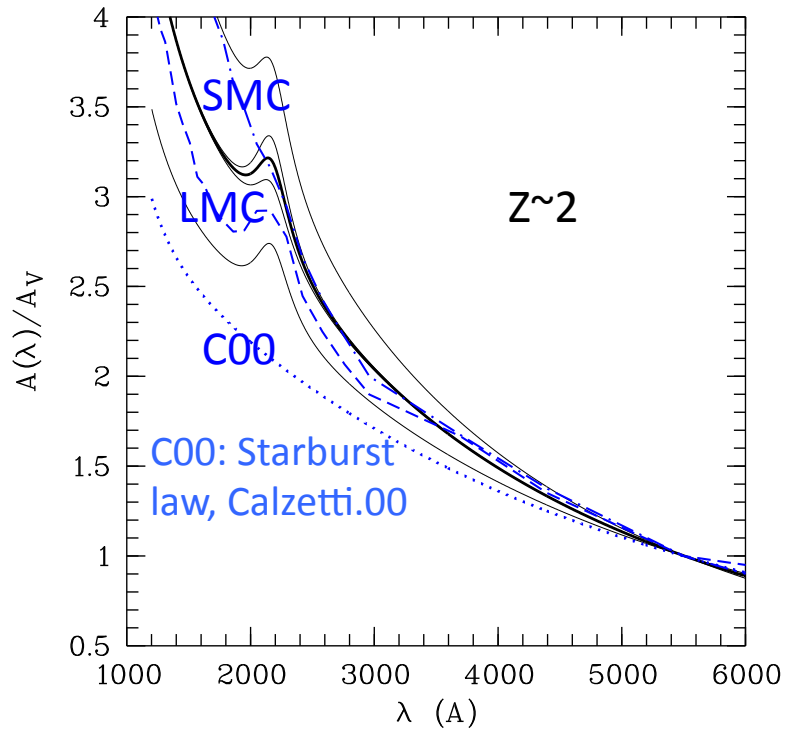


MW Extinction curve along one line of sight, depends on dust properties only



Attenuation law for extended objects depends on dust properties and dust-stars geometry

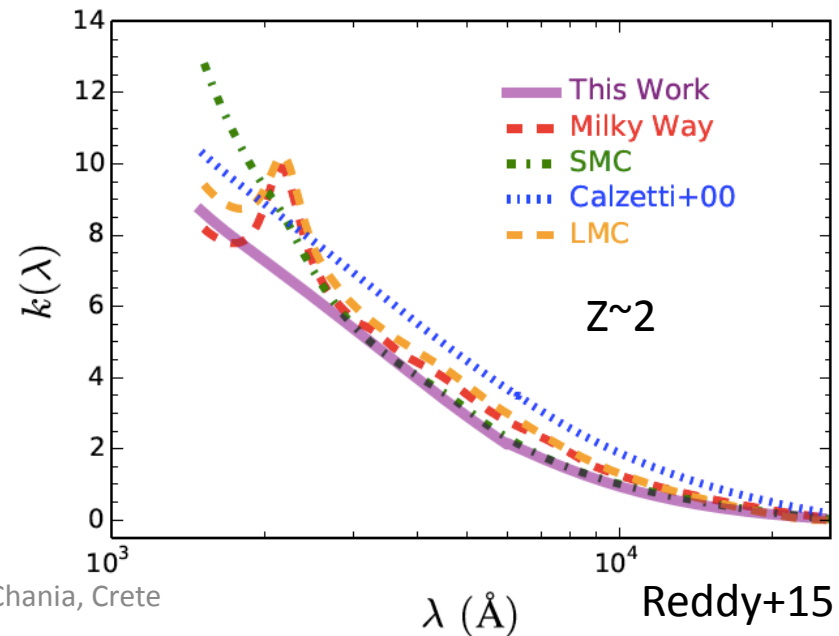
Witt & Gordon 2000

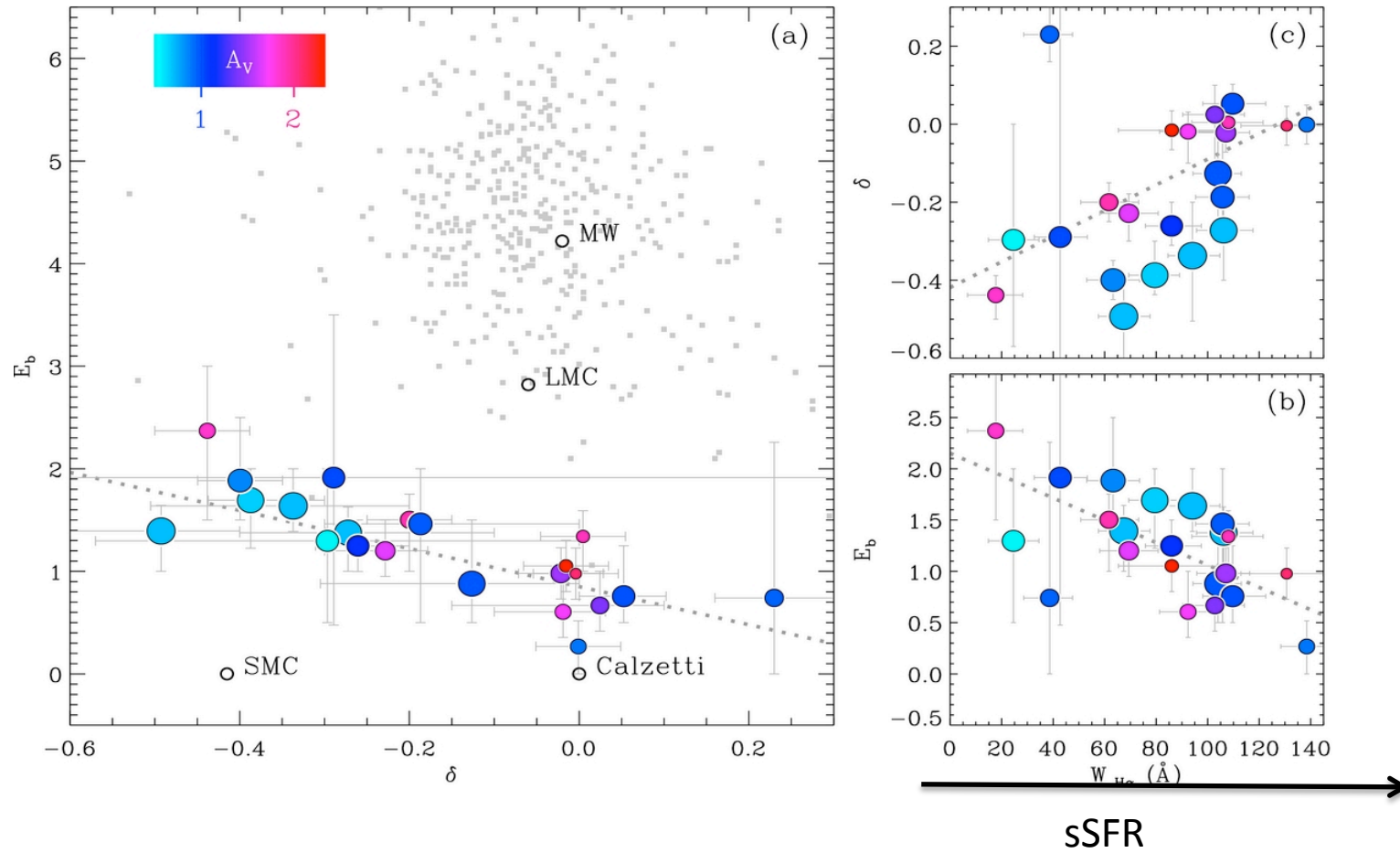


$$k(\lambda) = \left(\frac{A(\lambda)}{E(B-V)} + \frac{E_b \lambda^2 \gamma^2}{(\lambda^2 - \lambda_0^2) + \lambda^2 \gamma^2} \right) \left(\frac{\lambda}{\lambda_V} \right)^\delta$$

$$E_b = 1.6 \pm 0.4 \quad \delta = -0.27 \pm 0.17$$

Buat+11,12





Kriek & Conroy 13 :

Shallower curves and weaker bumps for large sSFR

Shallower curves for higher attenuation (Tuffs+04, Pierini+04, Wild+11)
 UV bumps detected in GRB hosts (e.g. Liang&Li, 10,11)

Outline

- **General considerations** and calculations, stellar emission and timescales
- **The impact of the star formation history** on SFR determinations
 - *the different SFH adopted for galaxies at all redshift
 - *accounting for nebular emission lines.
- **The real world: dust absorption & re-emission**
 - *IR and composite star formation tracers
 - *Measuring dust obscuration without IR data
 - *Dust attenuation law
- **SED fitting to measure SFRs**

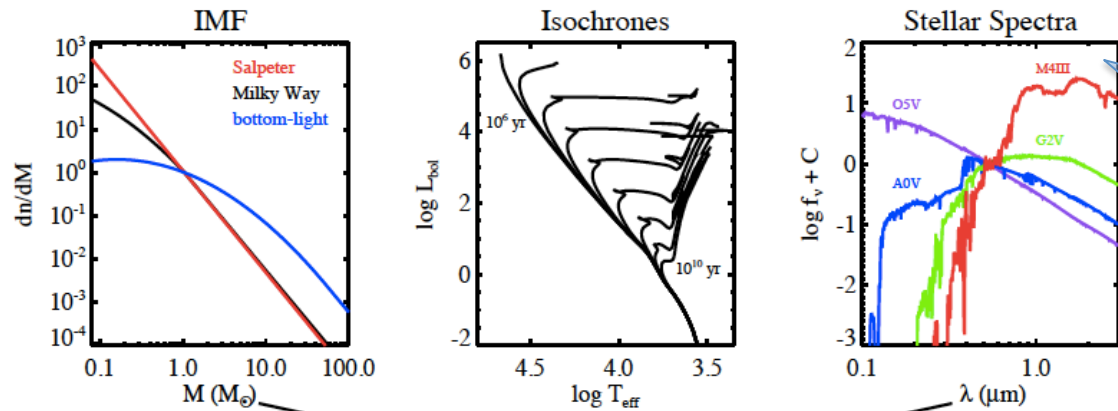
$$L(\lambda, t) = \int_0^t \int_{M_{low}}^{M_{up}} F_{\lambda}(m, \theta) \text{SFR}(t - \theta) \Psi(m) dm d\theta$$

↙ **Intrinsic luminosity emitted by all the stars of the galaxy**
↘ **t=0 the first stars in the galaxy**
} **stellar tracks**
↓ **Star Formation rate function (M_{sun}/yr)**
} **Initial Mass Function (IMF) from M_{up} to M_{low}**

Stellar Populations synthesis models with various SFR(t)
 + Fits with a large set of data at different wavelengths (SED fitting)

SFR(t) but not only

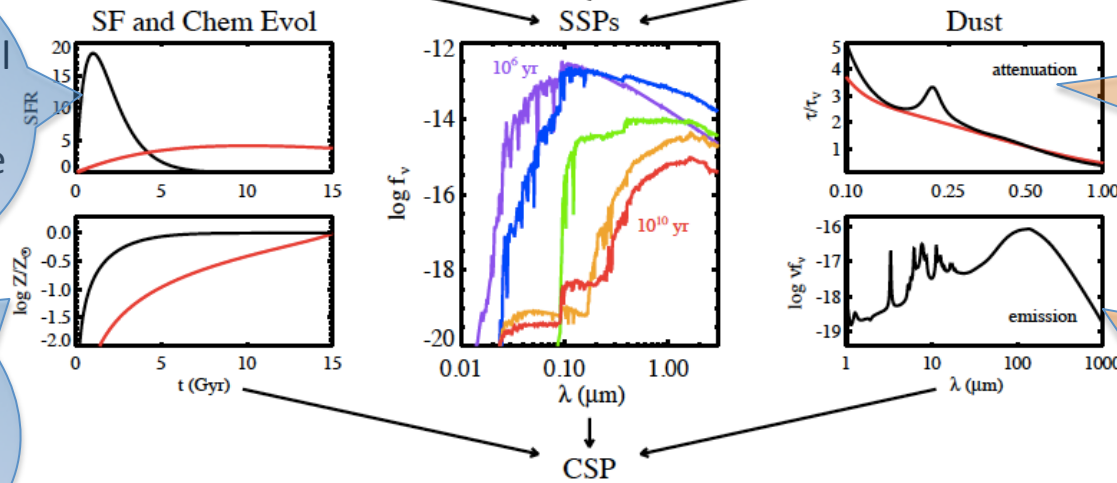
$L(\lambda, T)$ calculated at any time for any $\lambda \rightarrow$ SED fitting technics



Stellar spectra and isochrones depend on Z

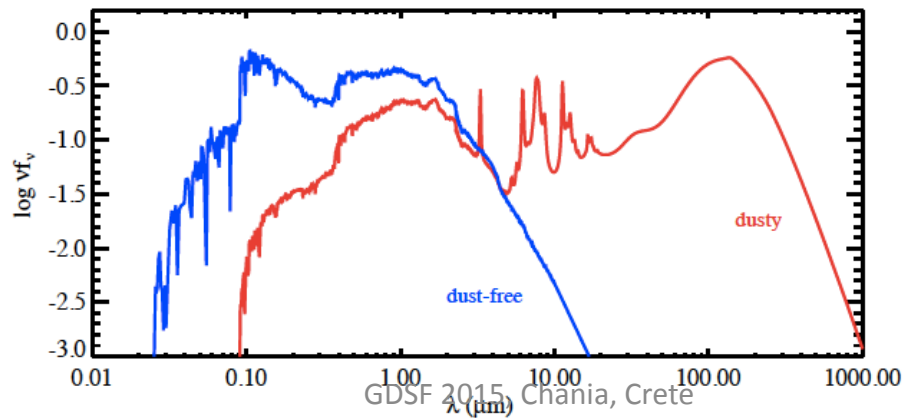
Various SFH, one or several populations
Minimum age free or fixed

Metallicity fixed or variable



Usually Starburst law but not always

A set of templates



You may want to add emission lines

Parameter estimation

- **Classical χ^2 minimization** to determine the (single) best fit model → not optimal for a large range of parameters

To compare models: **reduced χ^2** degree of freedom is sometimes difficult to estimate

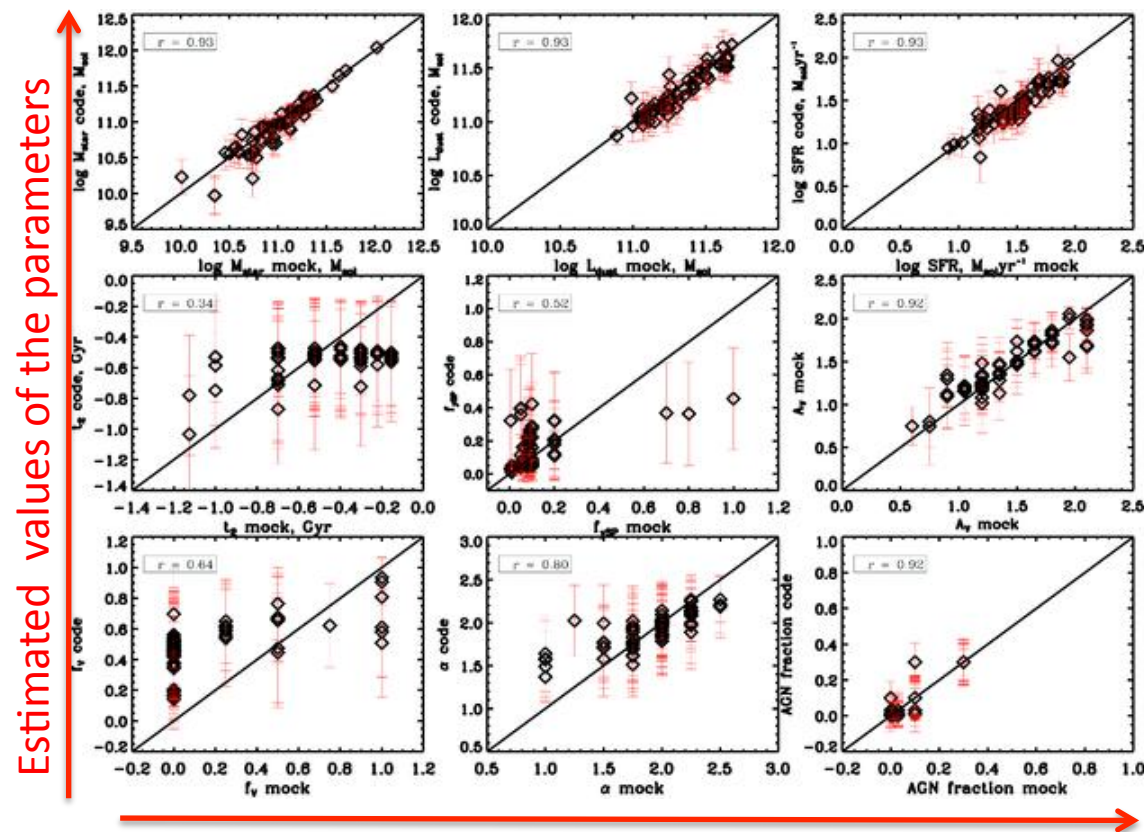
- **Probability distribution functions (PDF)** for each parameter built by marginalizing over all the other parameters:
 - mean, median, dispersion, quartiles of the PDF
- **Monte Carlo Markov Chain (MCMC)** statistical analyses

<http://www.sedfitting.org/SED08/Welcome.html>

Using Mock catalogues to control the results:

pseudo-galaxies created from the SED models or the data
to check the internal accuracy of the codes

Giovannoli et al. 2011, pseudo-galaxies and data drawn from the best fit models
(Walcher+08, daCunha+08)



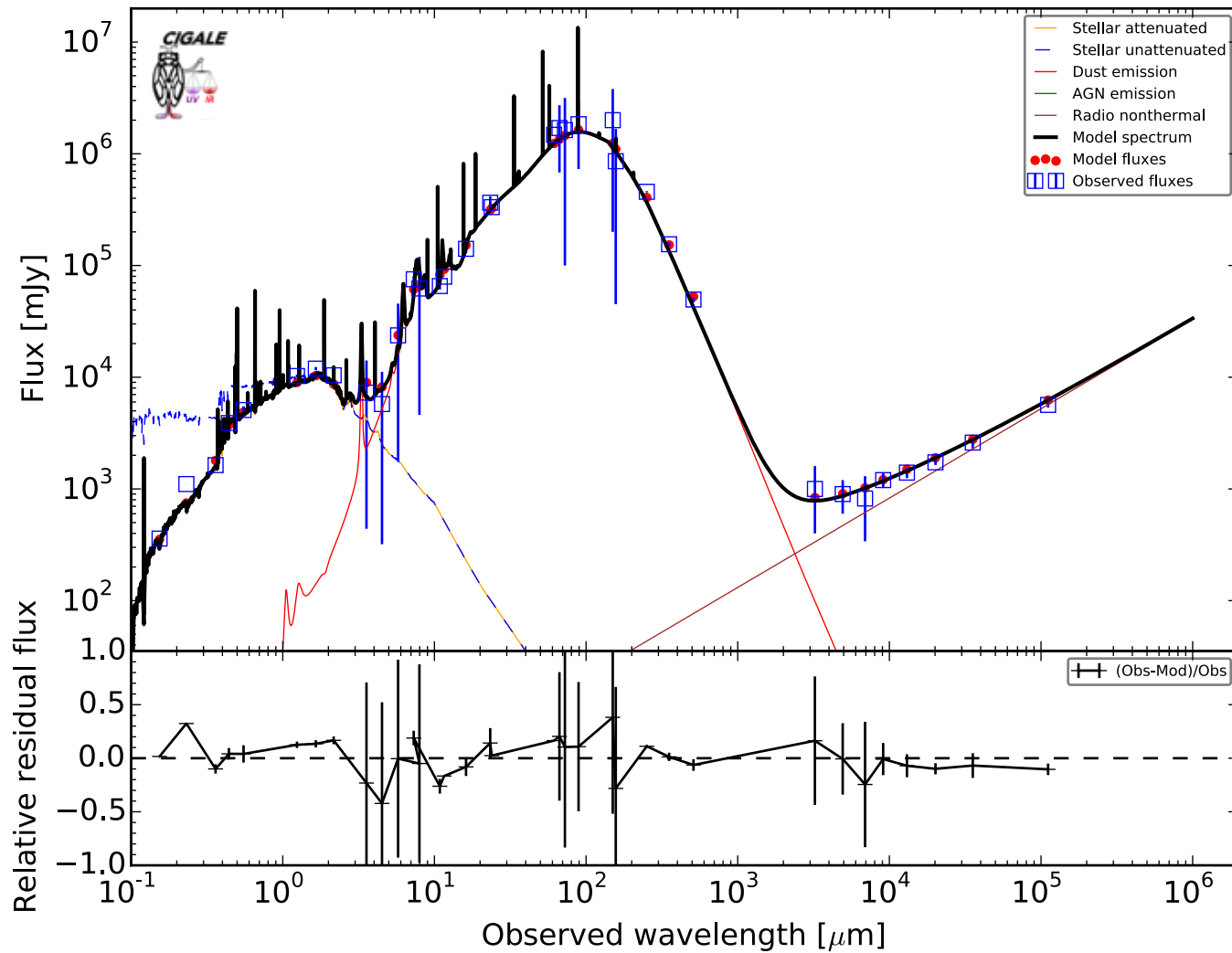
The new CIGALE code (cigale.lam.fr)
Noll+09, Burgarella+15, Boquien+15, in prep

- Written in **PYTHON**, users can add their own modules
- Star formation histories, standard or **provided by the users**
- Stellar populations models: **Bruzual & Charlot 03**, Maraston+05
- Attenuation curves with free parameters (with or without a bump, differential attenuation (old/young stars)
- IGM attenuation
- Dust emission models: **Draine & Li 07, Dale+14, Casey 12**
- Nebular lines: HII regions only**
- AGN modules: **Fritz+06 models**
- Non detections and upper limits accounted for**
- Very fast on multicore computers (8 cores = ~1000 models/s)

Creation of artificial catalogues: generates SEDs for any star formation histories

can be coupled with the output of theoretical models (Semi-analytical models, hydrodynamical models (*Boquien+14, Cousin+ in prep*))

Best model for M82 at $z = 0.0$. Reduced $\chi^2 = 1.35$



Burgarella +15, in prep.

GDSF 2015, Chania, Crete

A very short summary

- Accurate measurements of the SFR: a difficult task
- Classical recipes are derived under specific prescriptions, the users must check their validity for their own study.
- The star formation history can be critical, SFR and stellar masses have to be derived in a consistent way
- SED fitting methods with appropriate SFHs are likely to be reliable
- Dust attenuation: very difficult to estimate in the absence of IR data...

Thank you